

# **Rheology of complex macromolecules: Relating their composition to their viscoelastic properties**

Evelyne van Ruymbeke

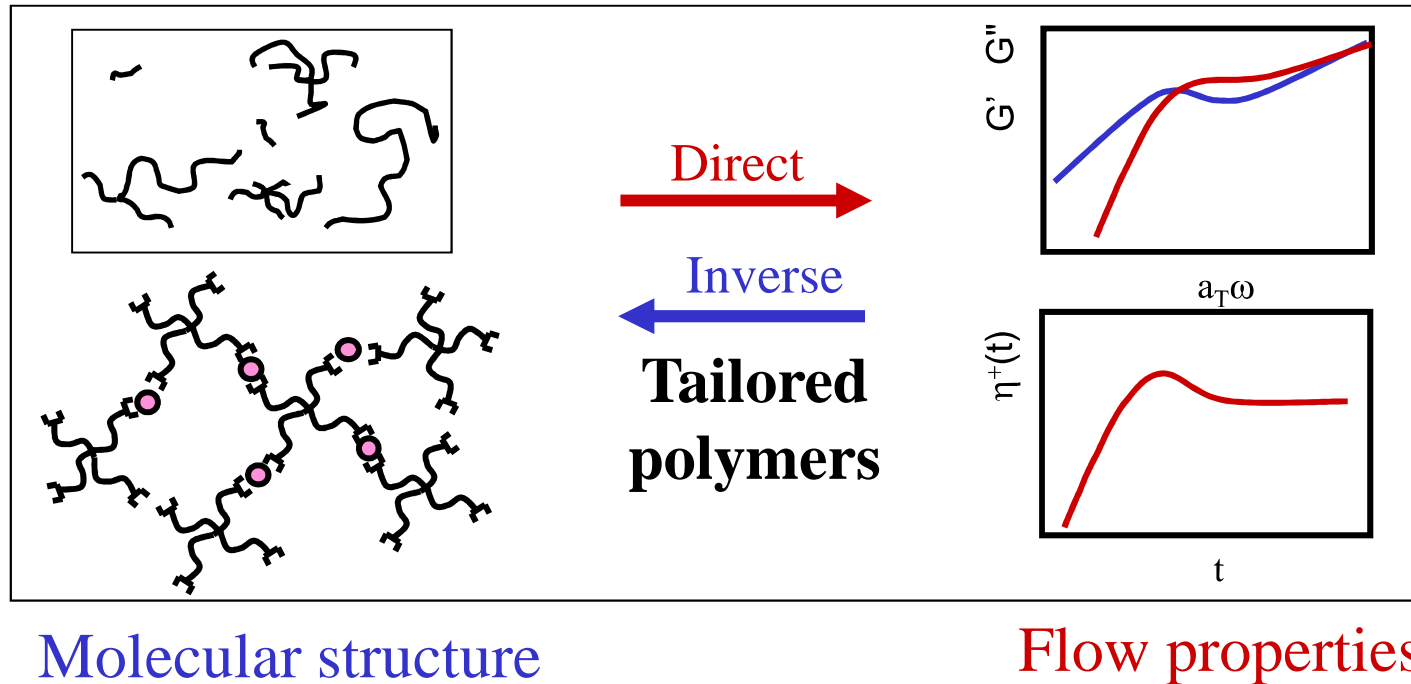
Bio and Soft Matter

Université catholique de Louvain, Belgium



*May 18, Gent*

# Structure - LVE relationship for complex polymers:



*Linear regime*

Modeling: Working on model polymers

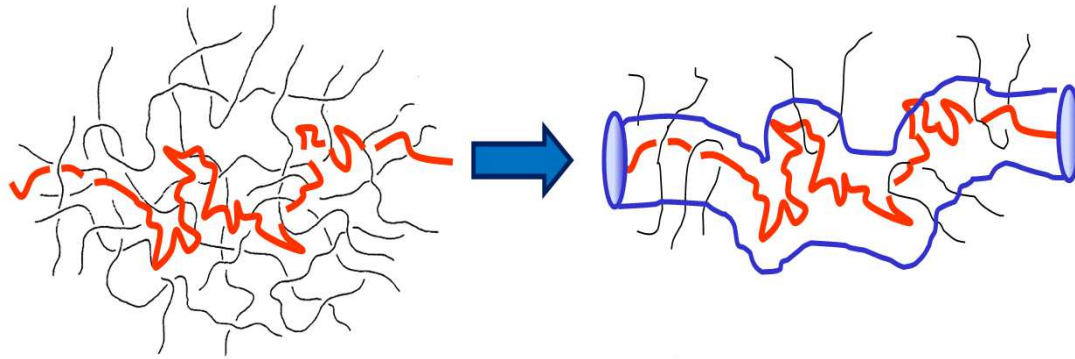
polydisperse polymers

Sample characterization

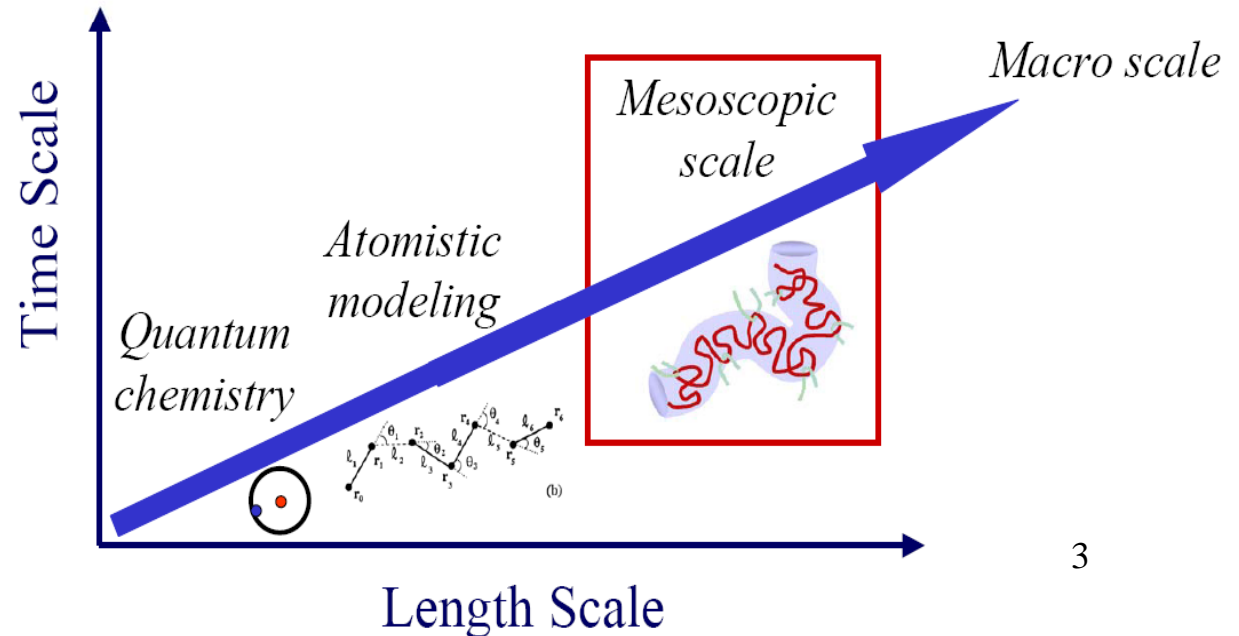
Supramolecular polymers

# Tube model – At the mesoscopic scale

Tube-based model for predicting the LVE of complex polymer melts

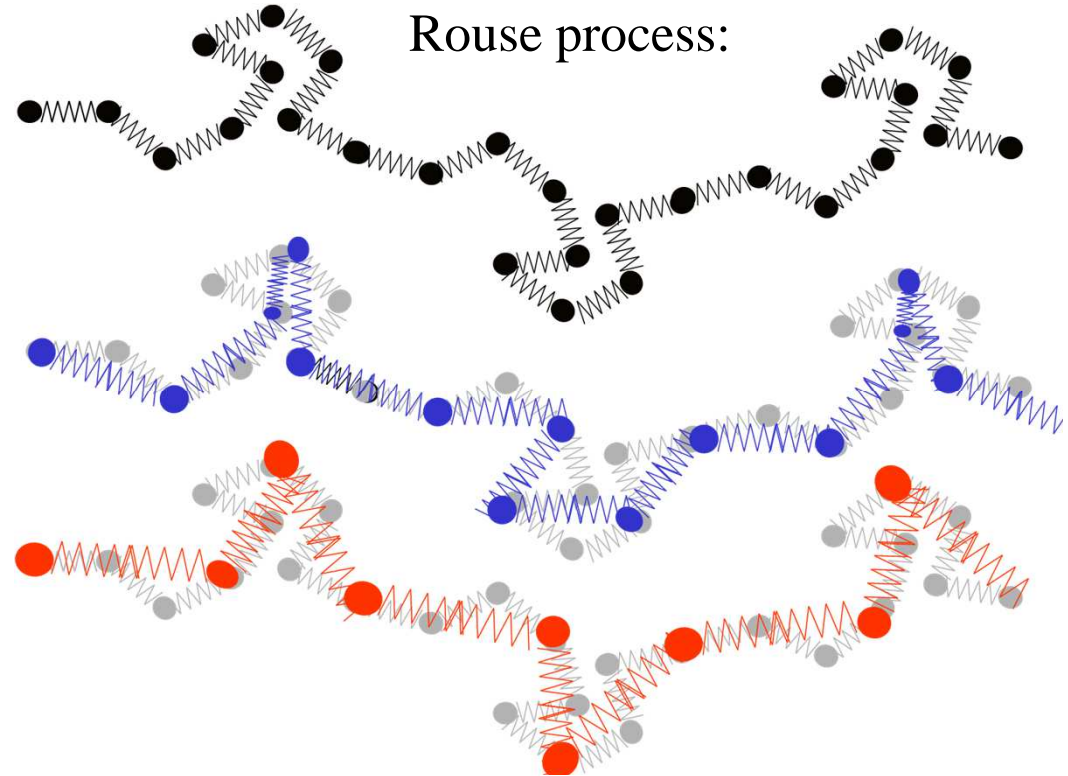
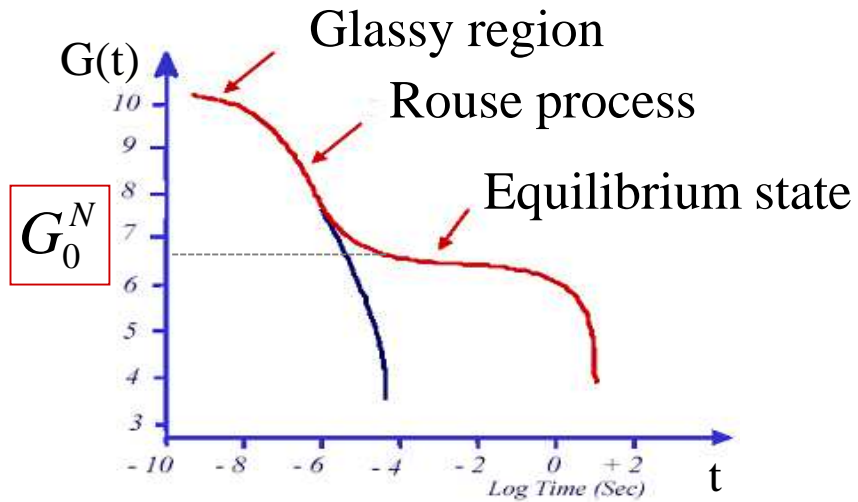


*de Gennes, Doi and Edwards*

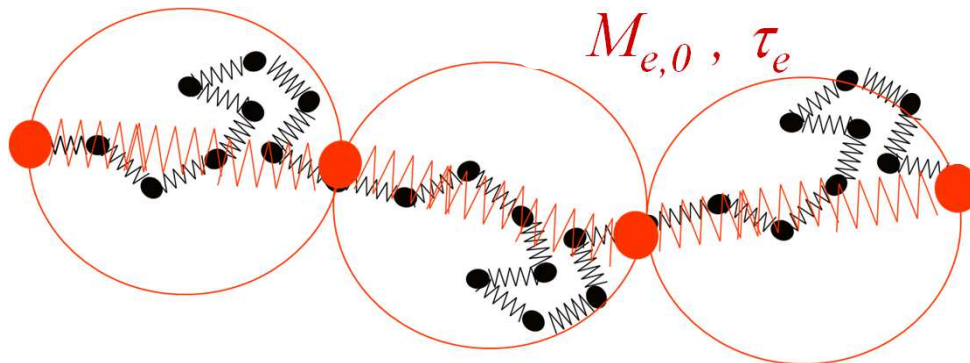


# Relaxation modulus of a polymer

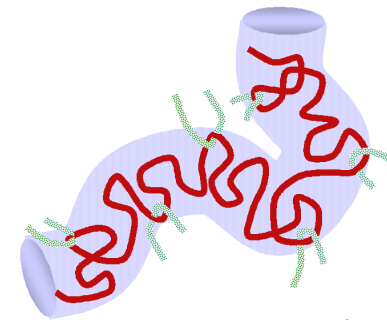
## Relaxation modulus:



Equilibrium state:

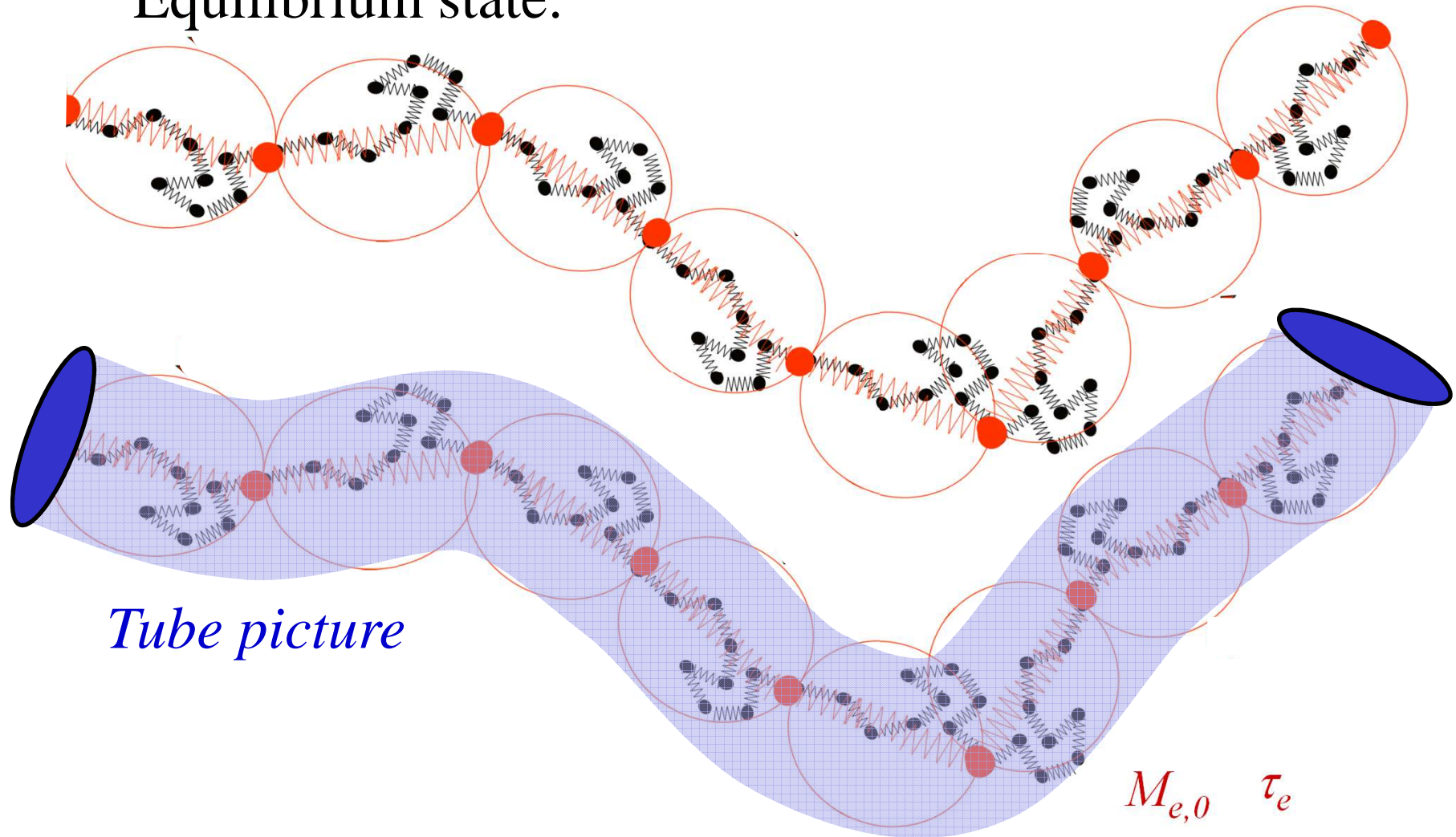


$$G_0^N = \frac{4}{5} \frac{\rho RT}{M_e}$$



# Tube picture

Equilibrium state:

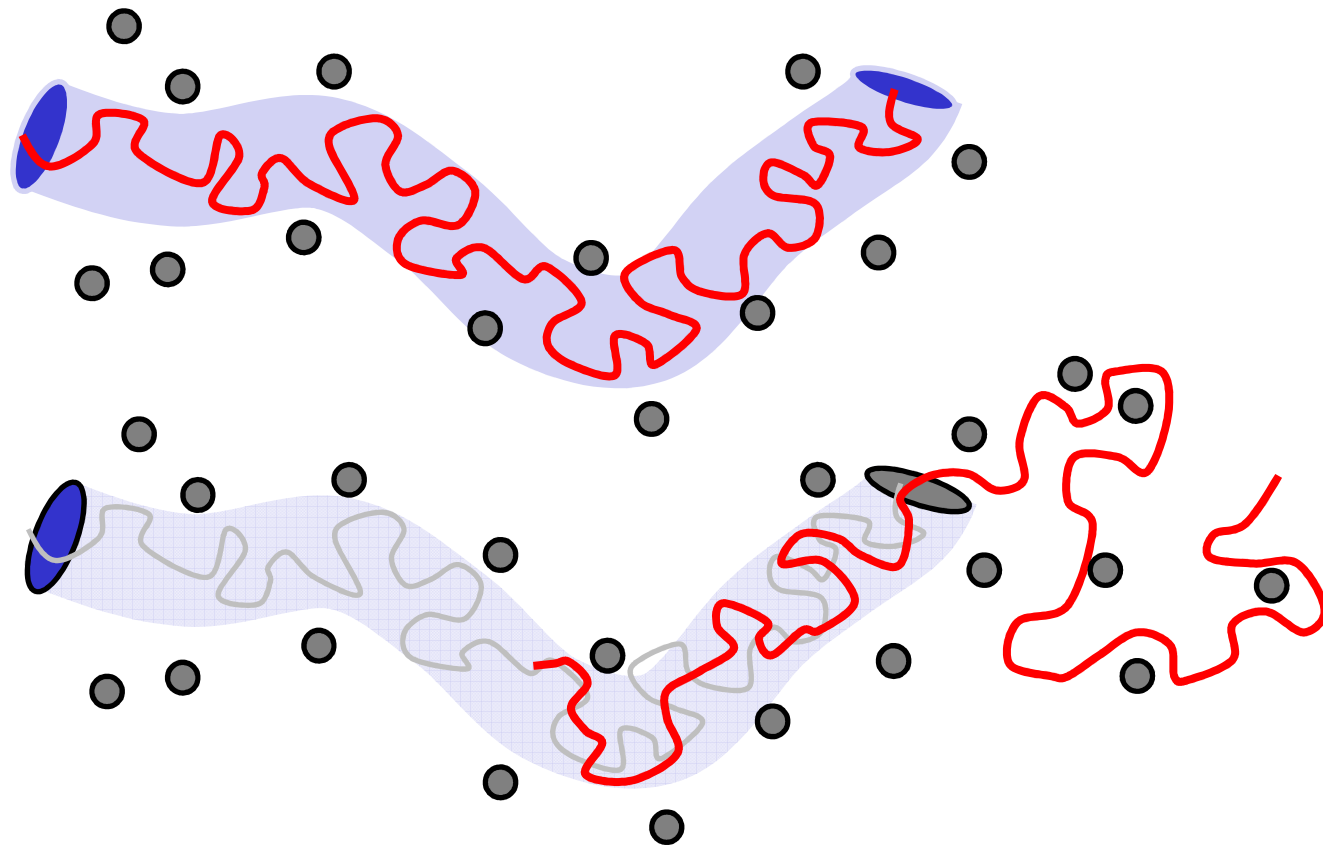


*Doi & Edwards (1967), de Gennes (1971)*

# Relaxation modulus of a polymer

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## Reptation process

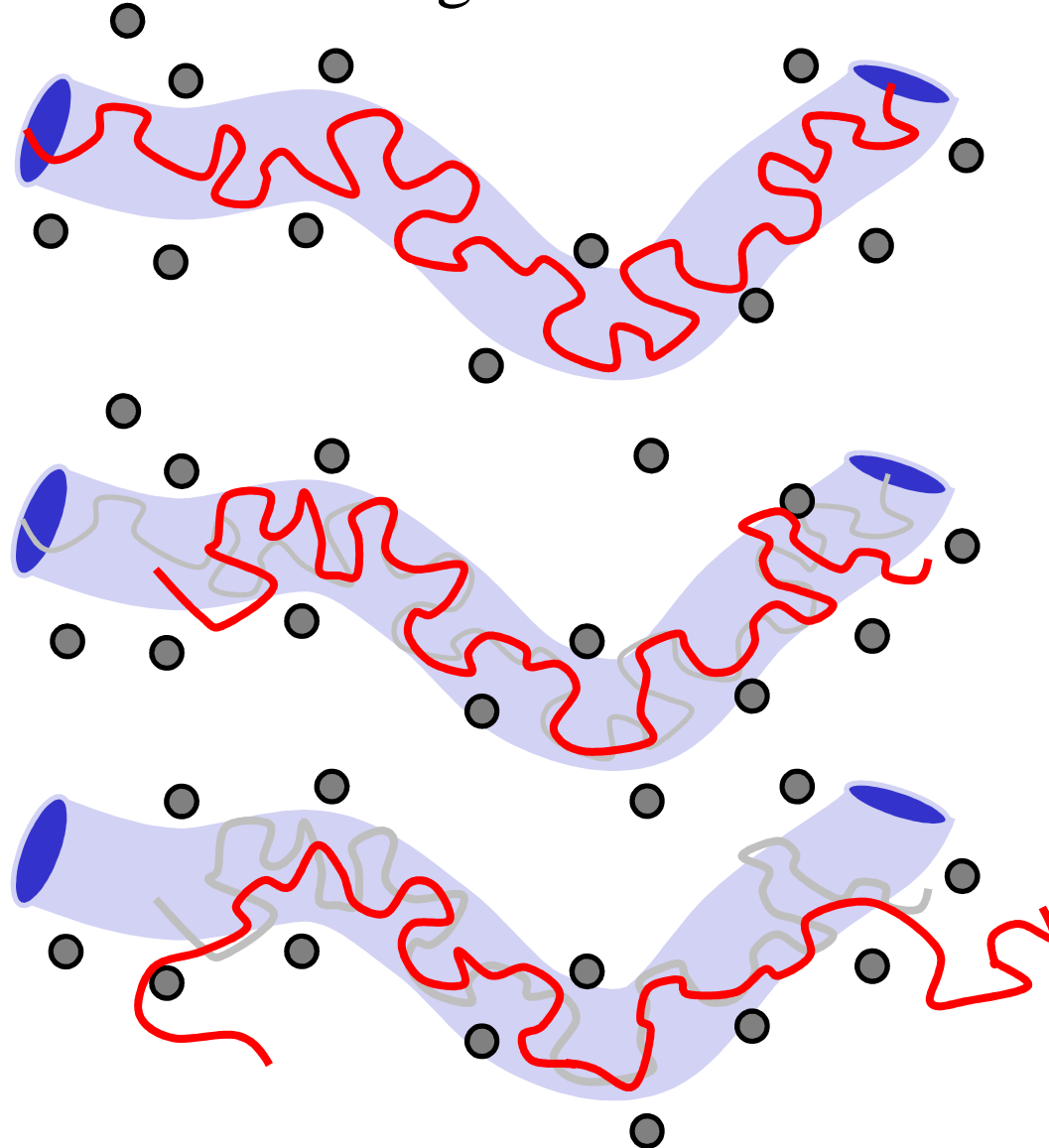


Diffusion process along the curvilinear axis of the tube

# Relaxation modulus of a polymer

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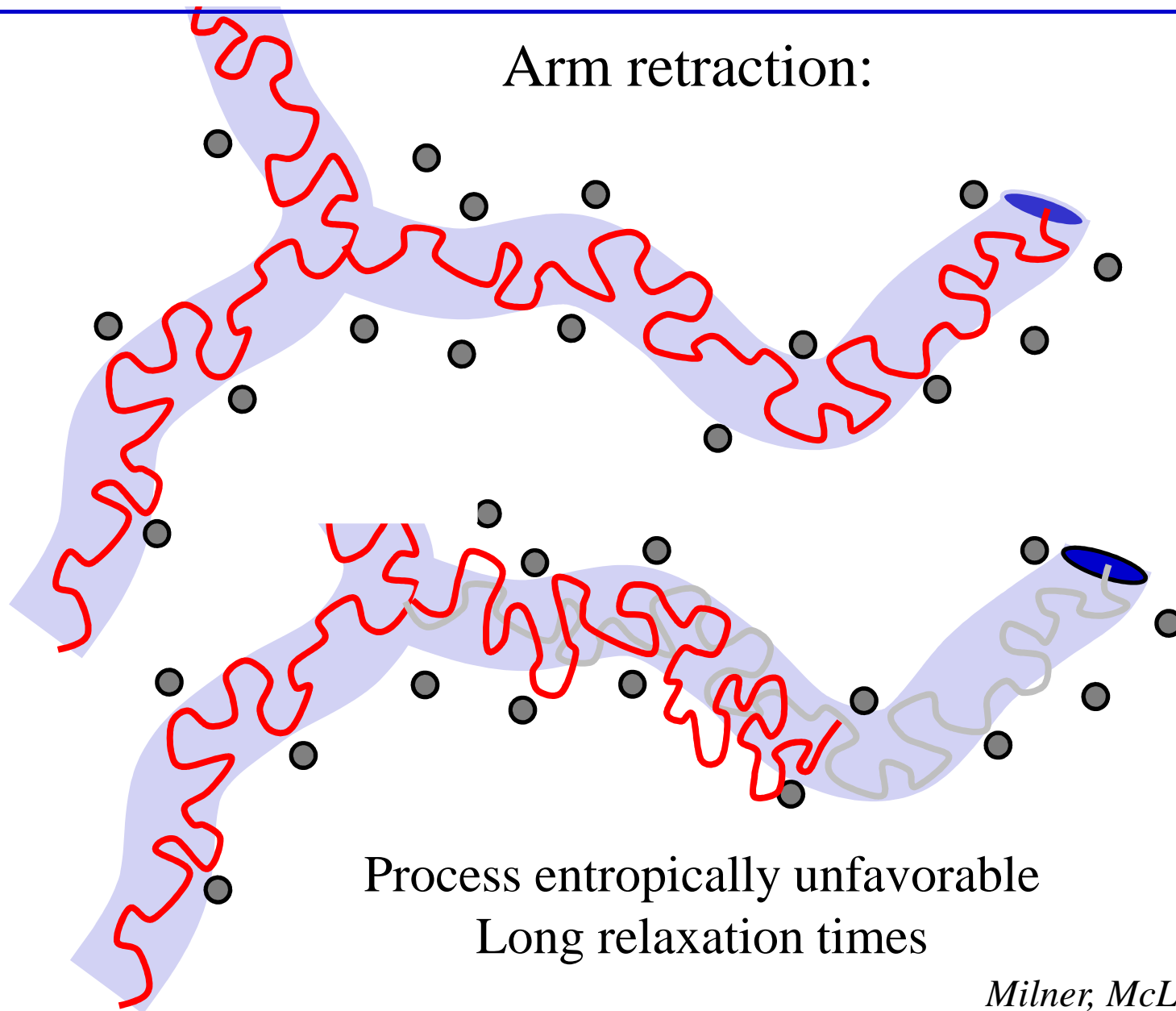
Contour length Fluctuations:



# Relaxation modulus of a polymer

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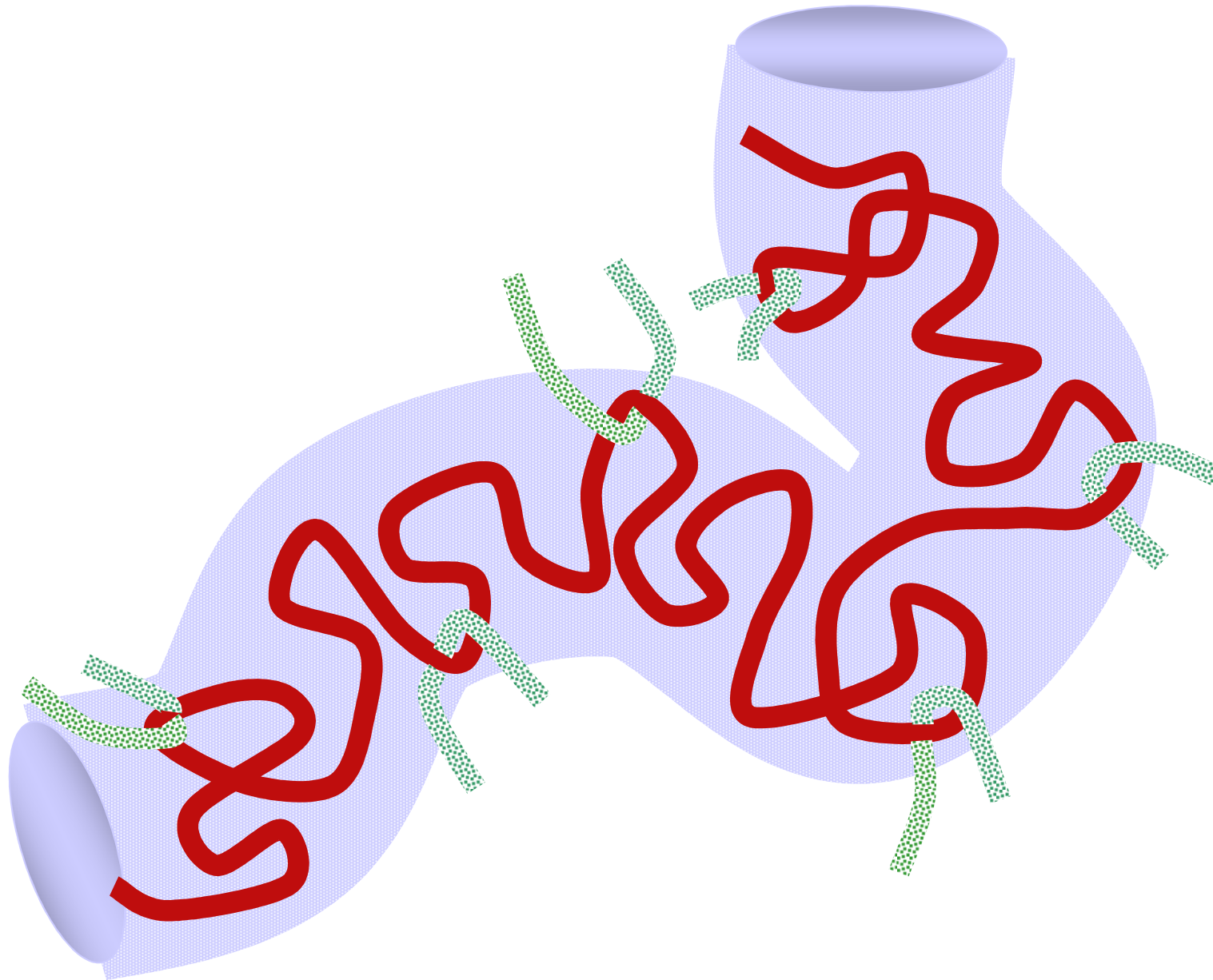
Arm retraction:





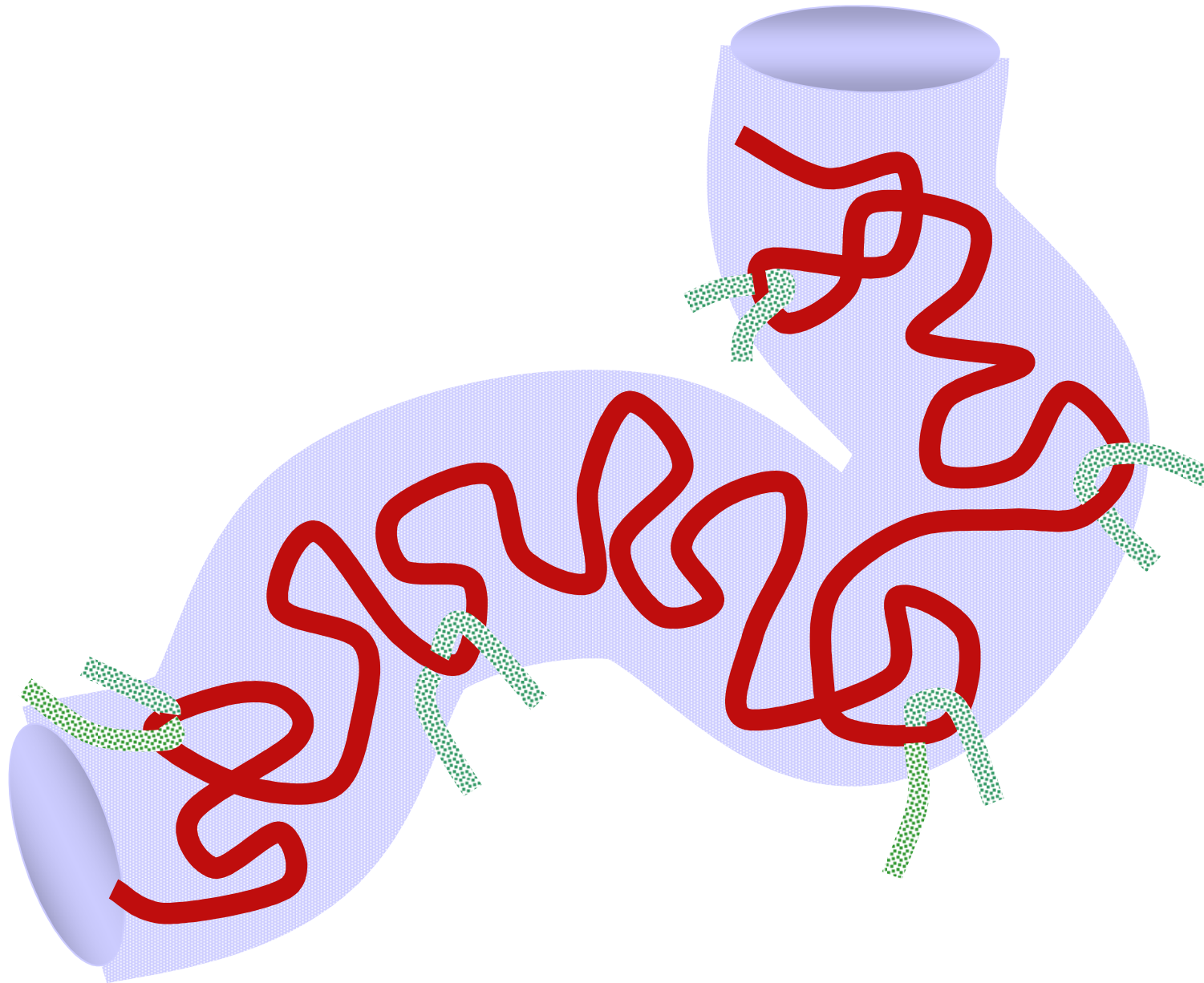
# Constraint Release processes (CR)

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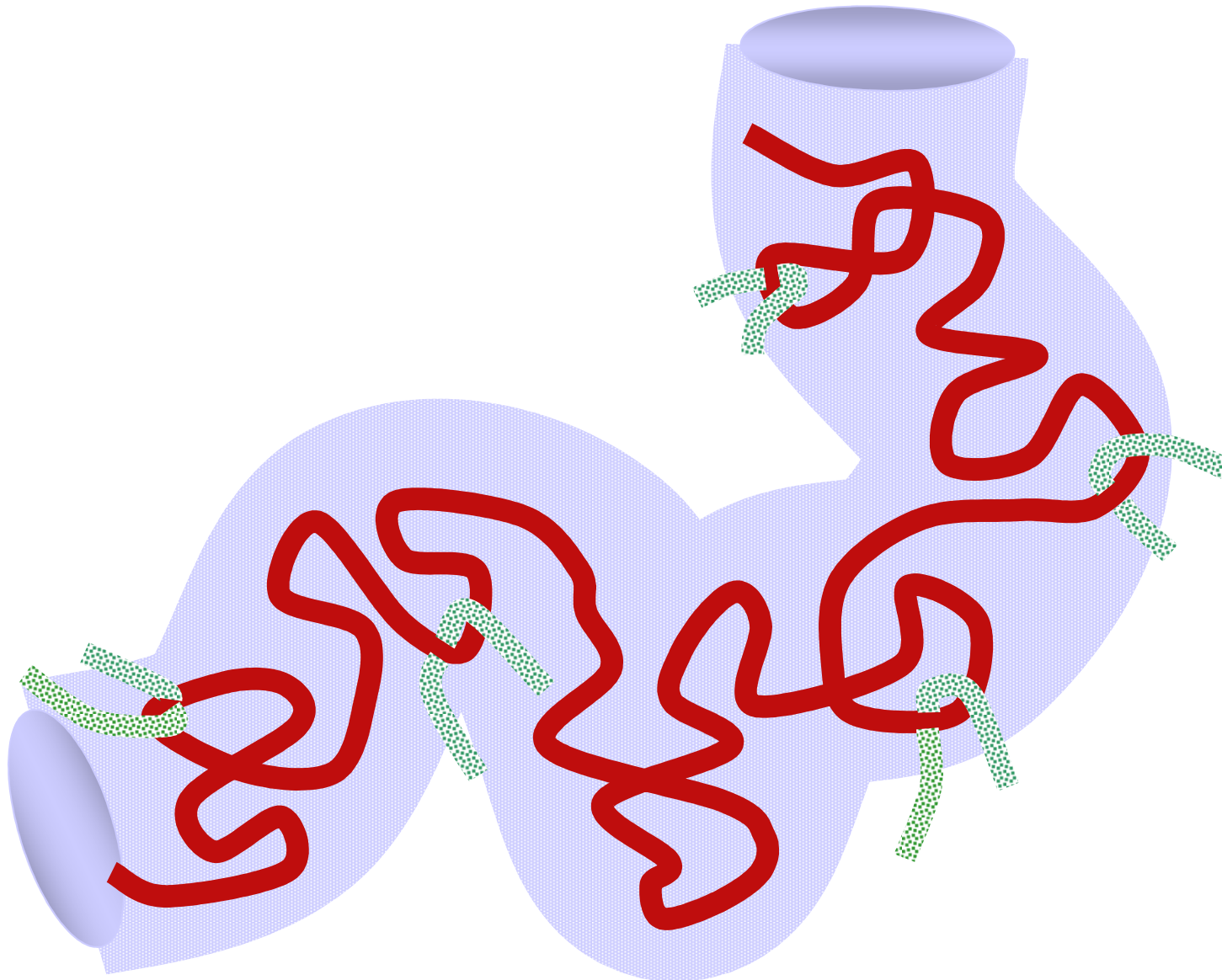
# Constraint Release processes (CR)

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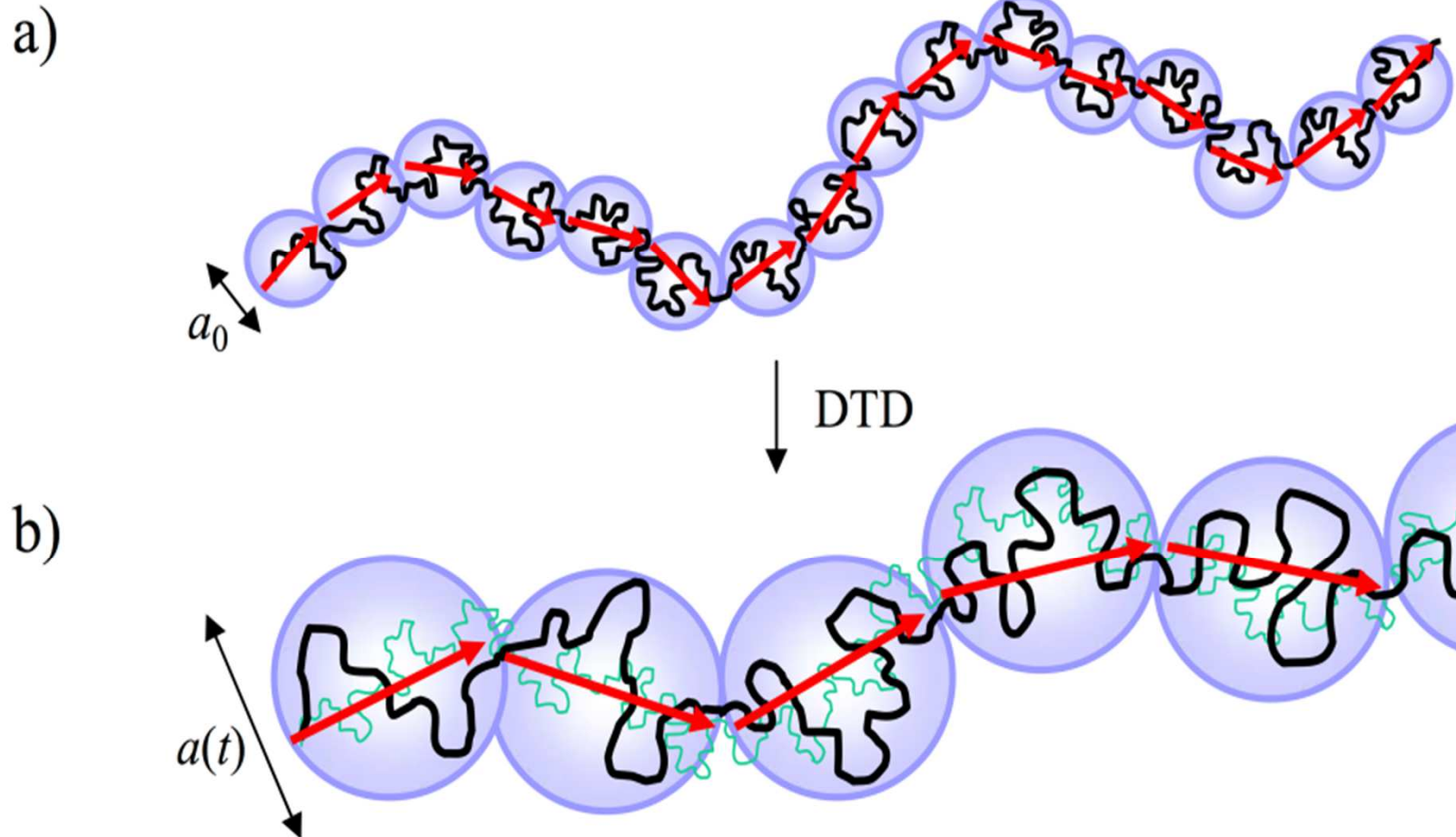
# Constraint Release processes (CR)

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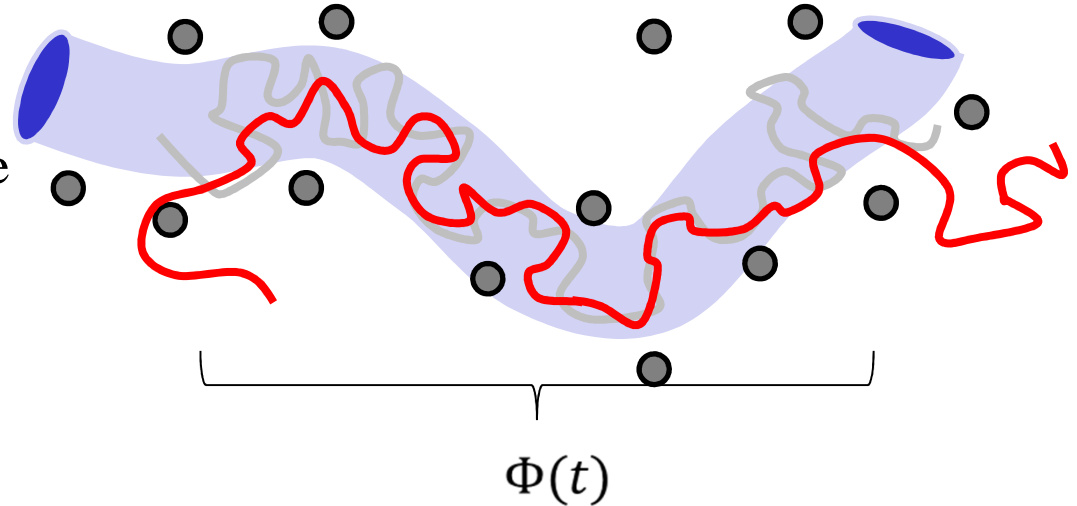
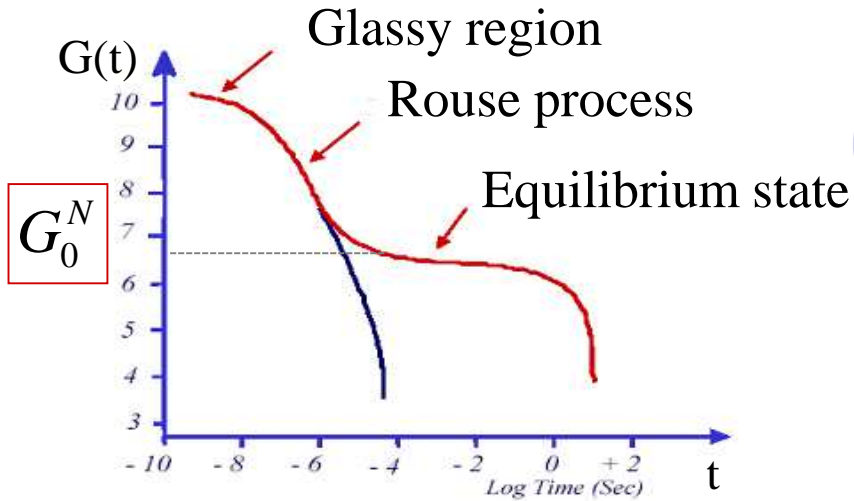
# Constraint Release processes (CR)

## Dynamic tube dilation:



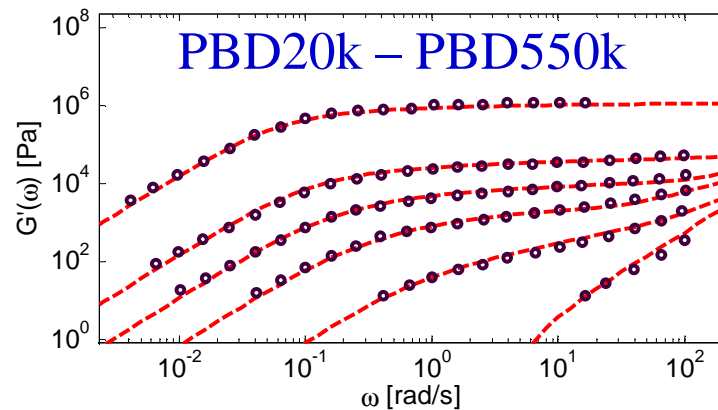
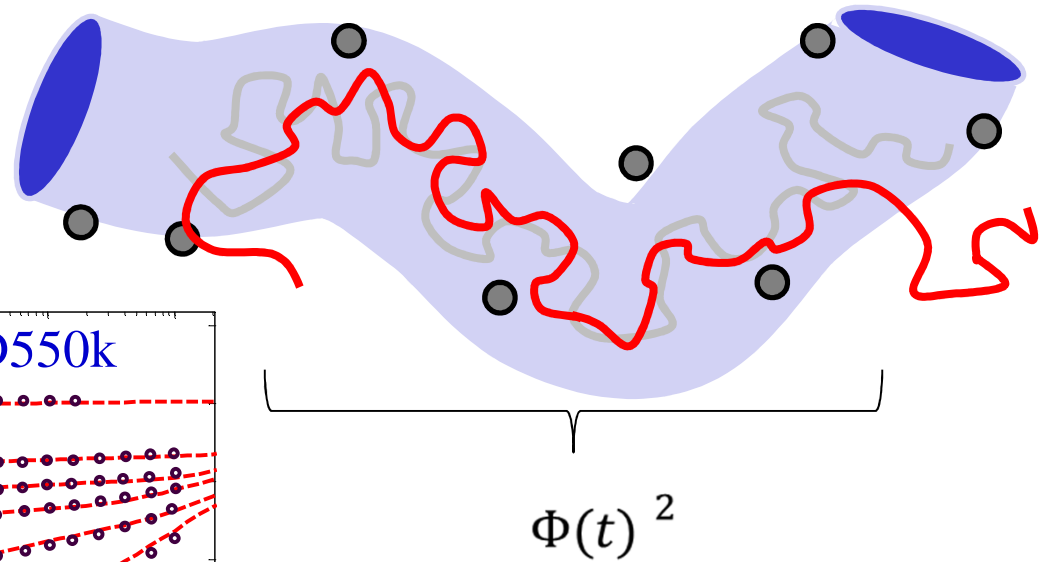
The polymer fraction already relaxed = solvent

# Relaxation modulus of a polymer



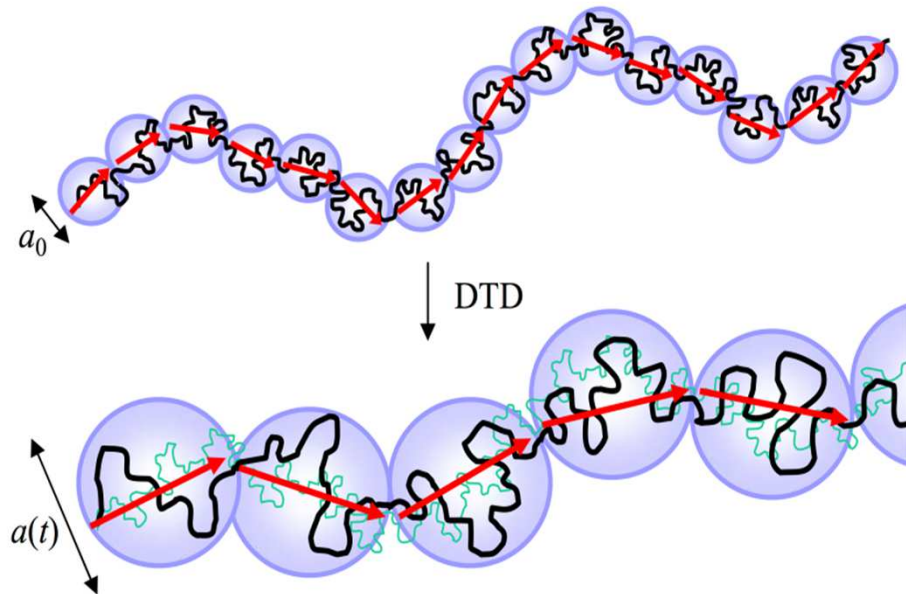
$$G(t) = G_{Rouse}(t) + \frac{\rho RT}{M_e(t)} \Phi(t)$$

$$G(t) = G_{Rouse}(t) + \frac{\rho RT}{M_{e,0}} \Phi(t)^2$$



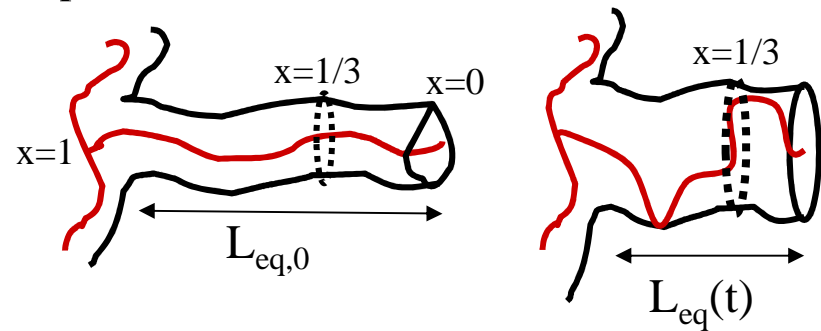
# Constraint Release processes (CR)

## Dynamic tube dilation:



## Local effect

On the *reptation* and the *fluctuations* process:



*Speeds up the polymer relaxation*

**Inter-relationship between all the relaxation mechanisms**

# Structure - LVE relationship for complex polymers:

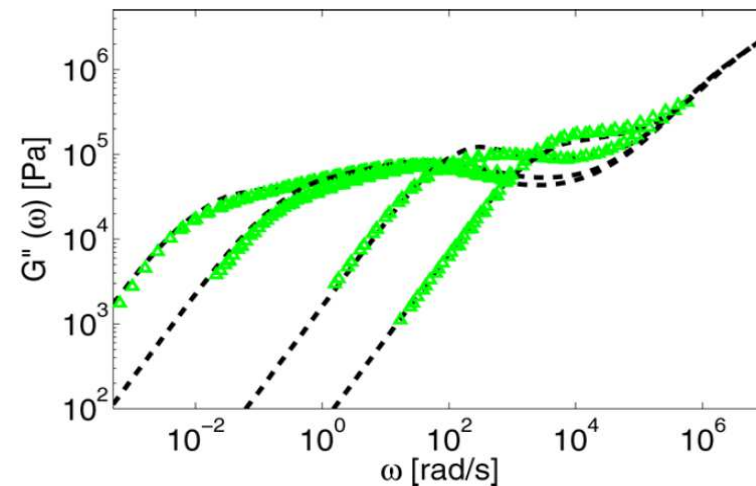
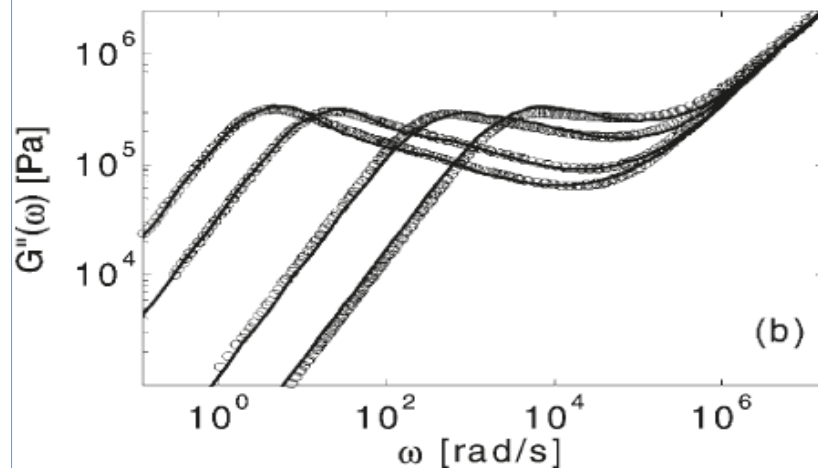
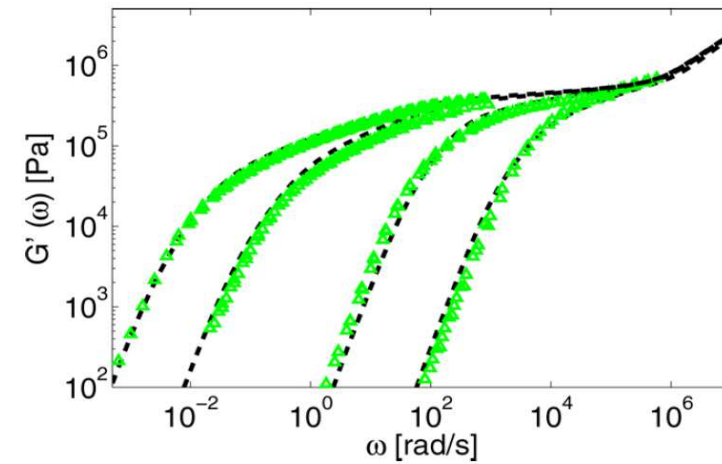
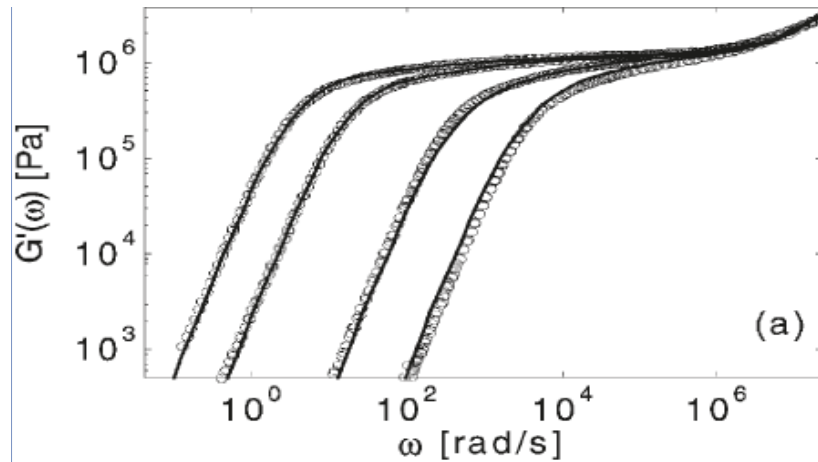


Linear chains

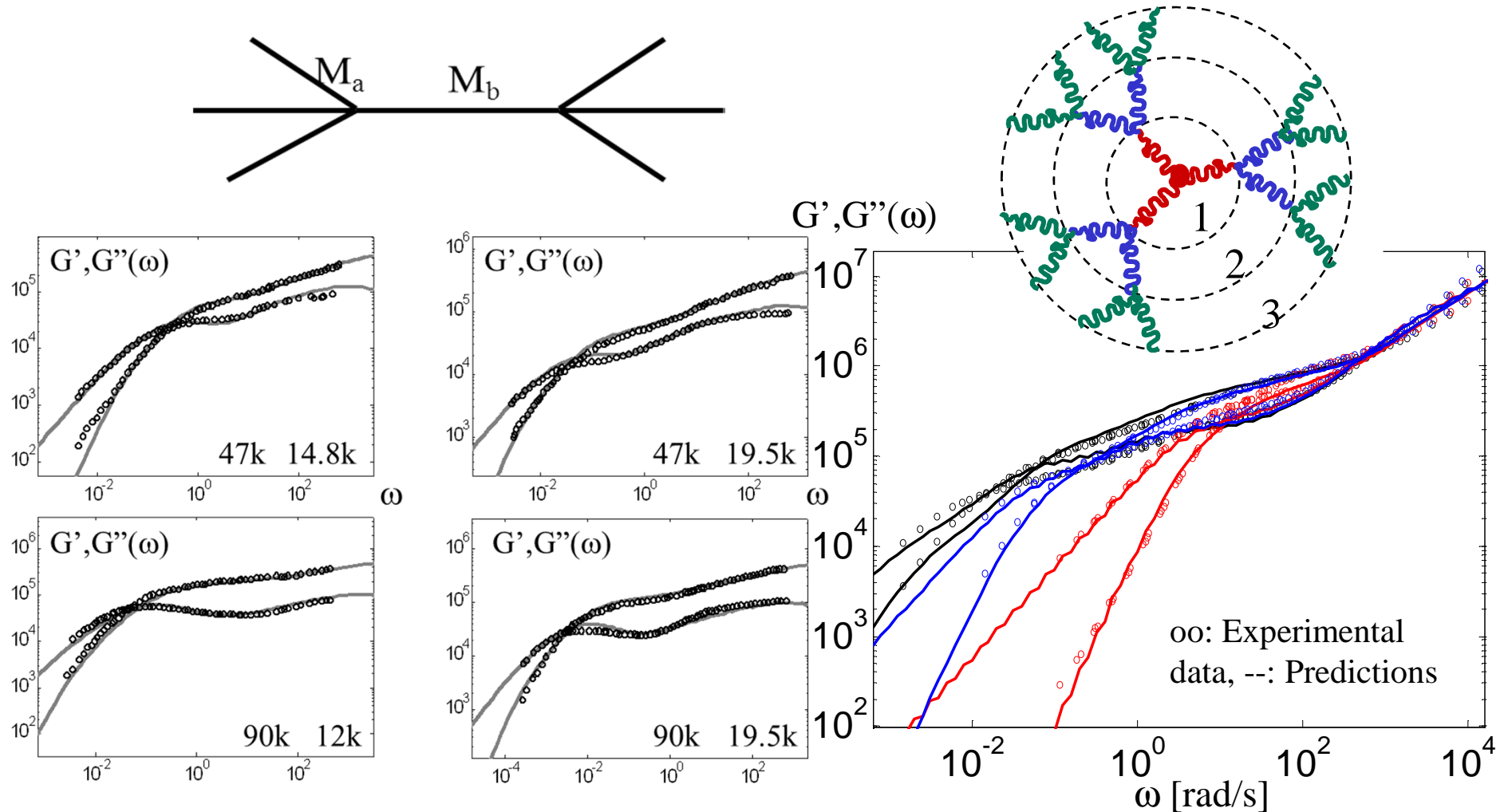
Model architectures:



symmetric star



# Structure - LVE relationship for complex polymers:



## Hierarchy of relaxation processes

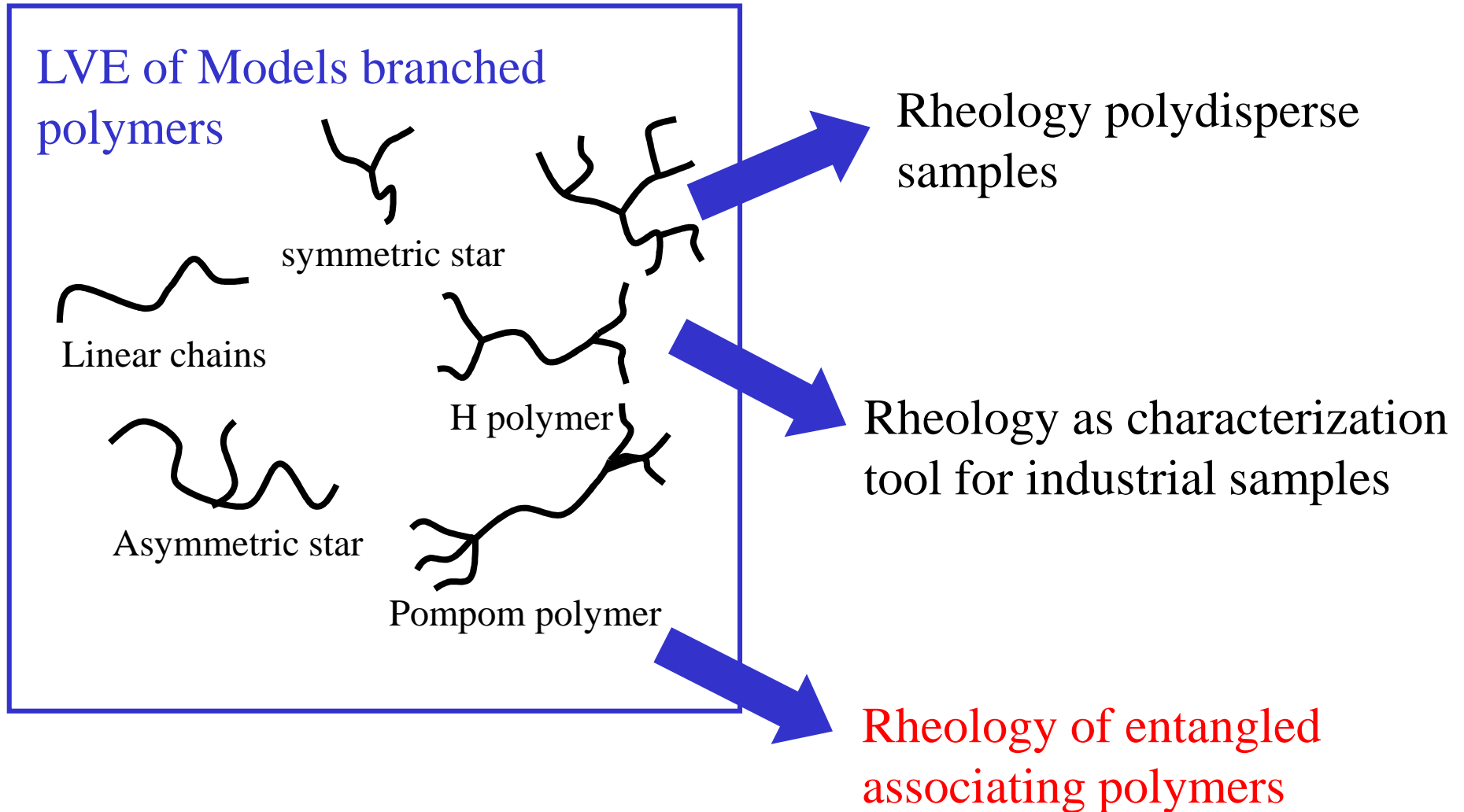
*E. van Ruymbeke, R. Keunings, C. Bailly, J.N.N.F.M., 2005*

*E. van Ruymbeke, C. Bailly, R. Keunings, D. Vlassopoulos, Macromolecules, 2006.*

*M. Ahmadi, C. Bailly, R. Keunings, M. Nekoomanesh, E. van Ruymbeke, Macromolecules, 2011*

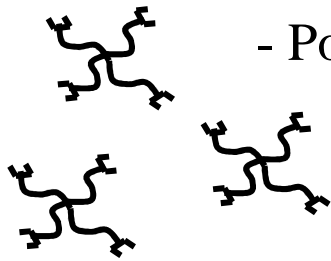


# Objectives

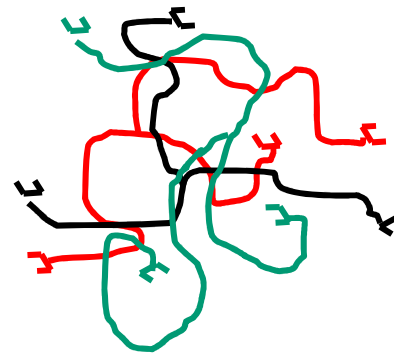
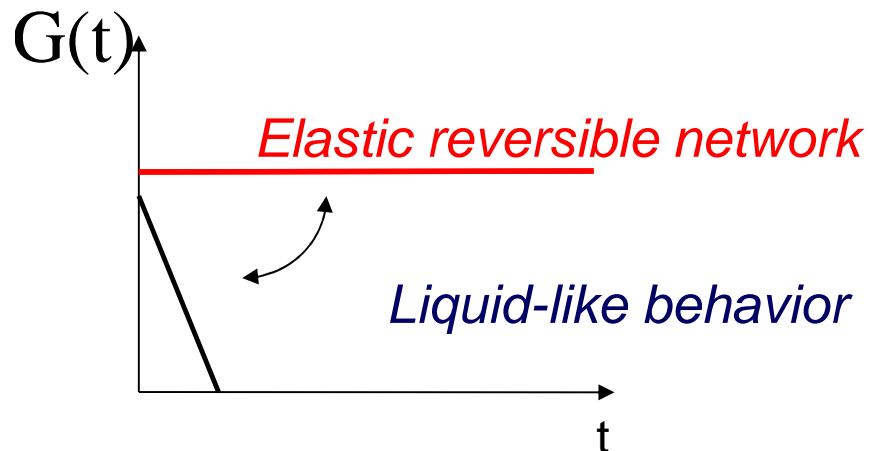
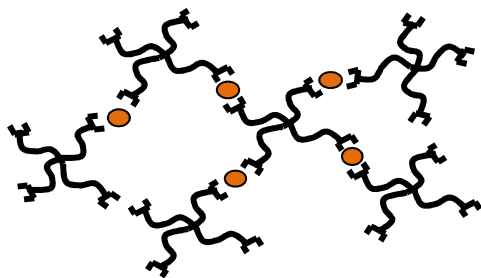


# Unentangled versus entangled supramolecular building blocks

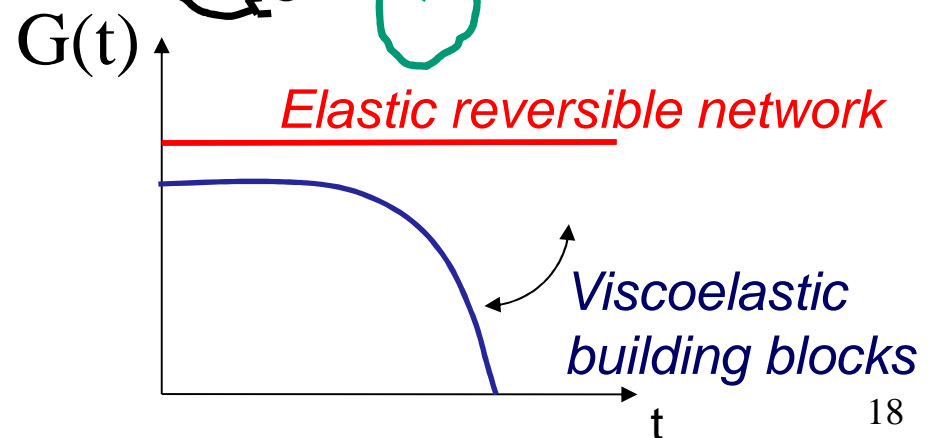
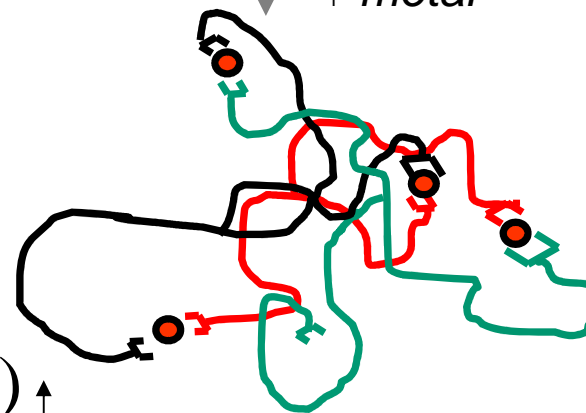
- Short blocks
- Polymer solution



↓ + metal ●

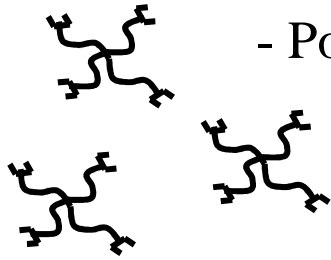


↓ + metal ●

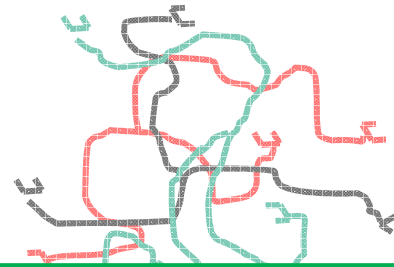
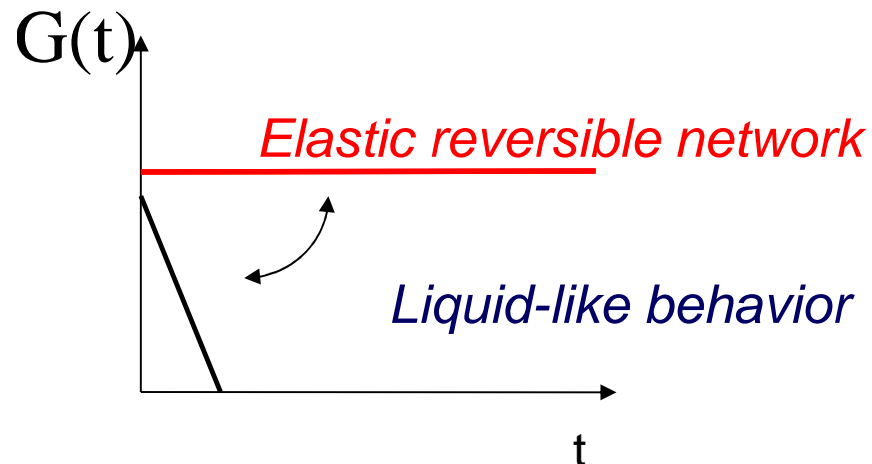
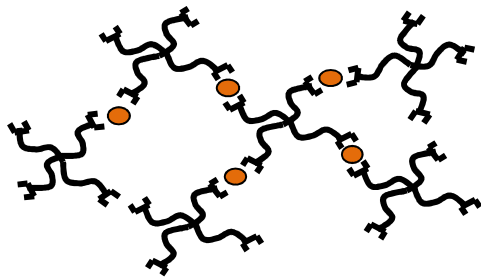


# Unentangled versus entangled supramolecular building blocks

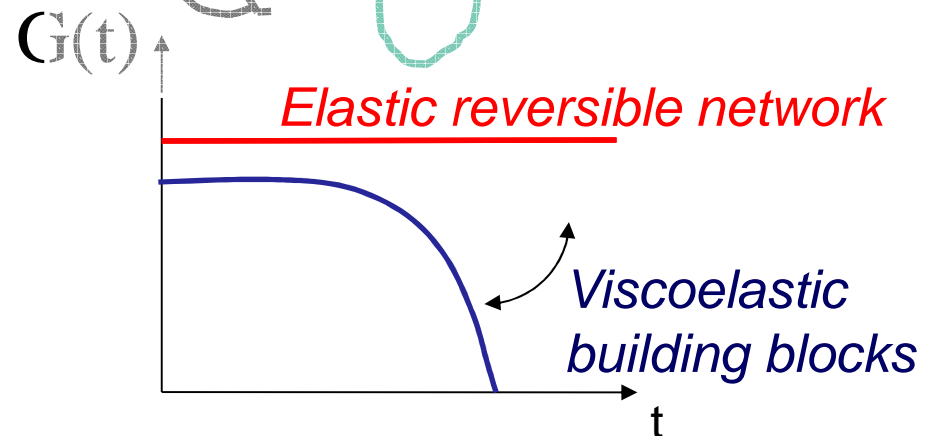
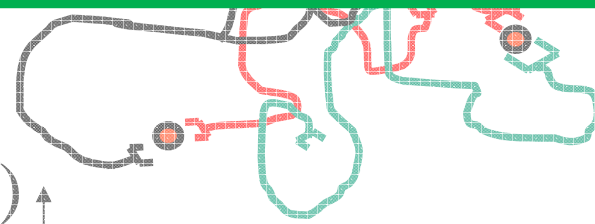
- Short blocks
- Polymer solution



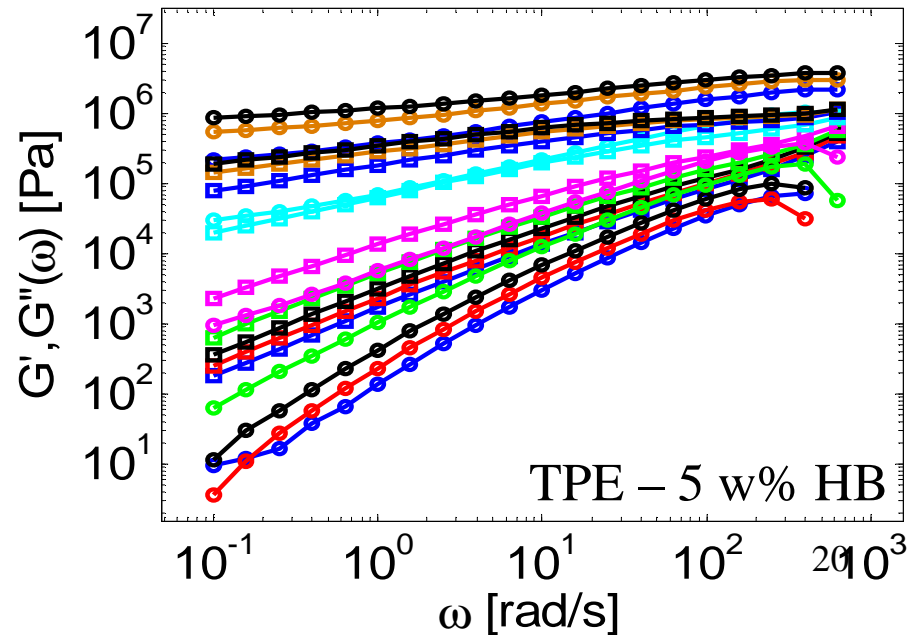
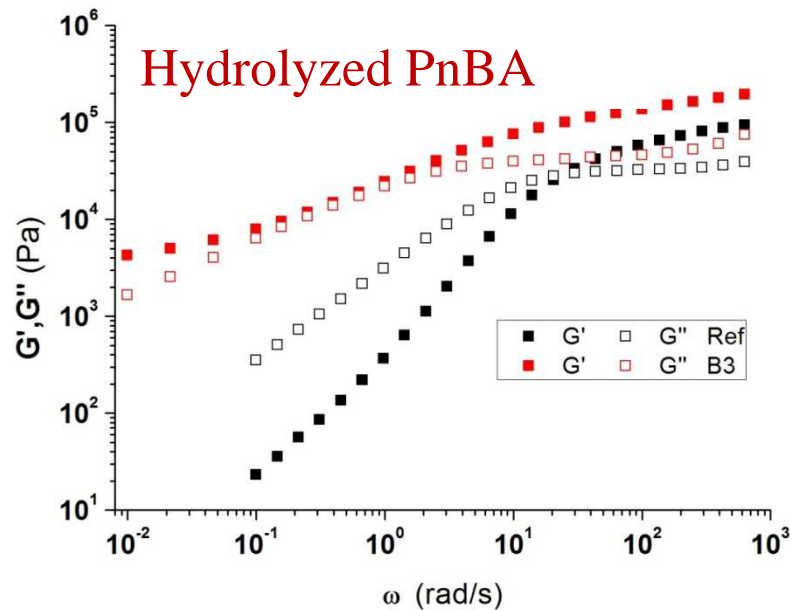
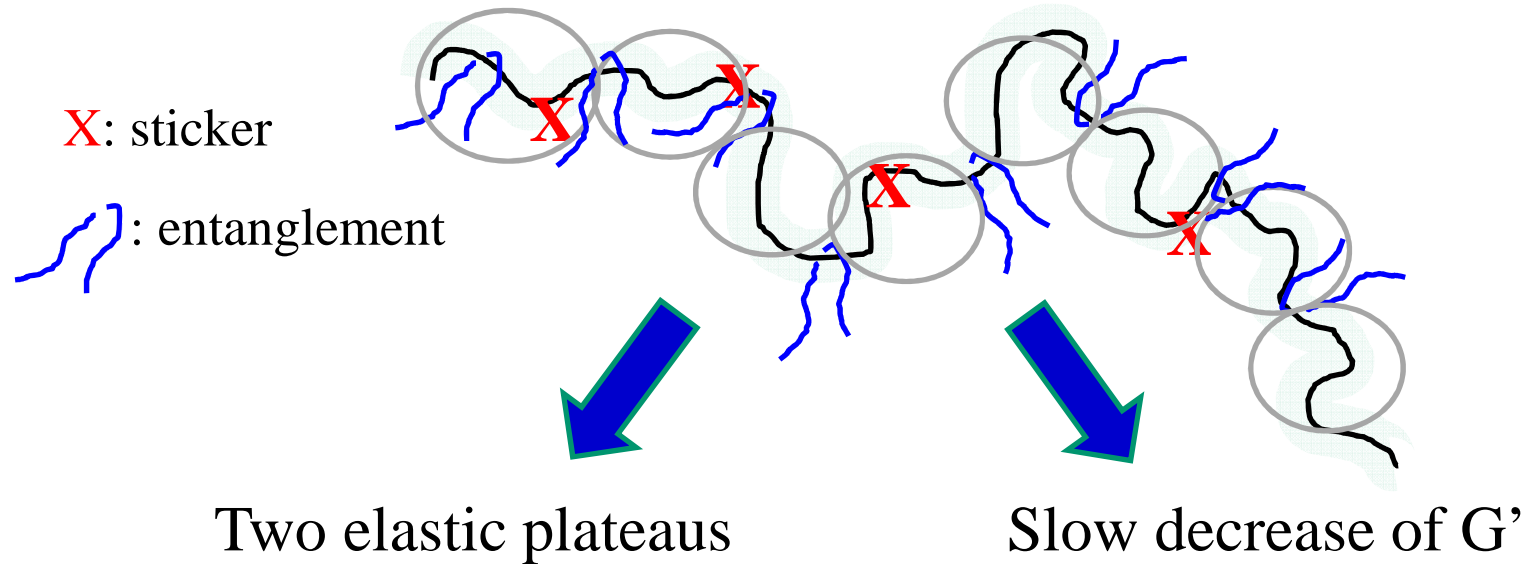
↓ + metal ●



Rubbery plateau and relaxation time:  
Depend on both **supramolecular dynamics** and **chain architecture**

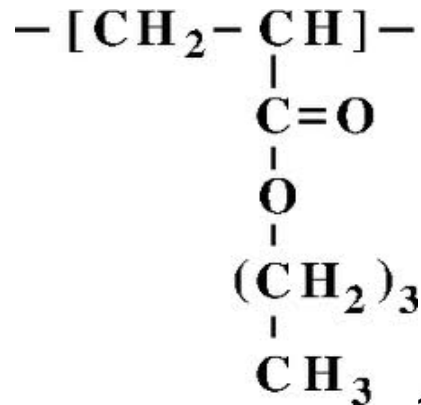


# Dynamics of sticky entangled polymer melts



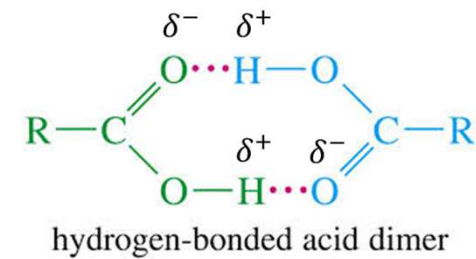
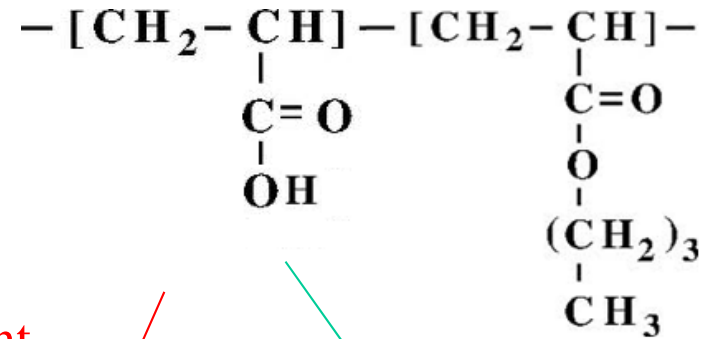
# Hydrolyzed PnBA polymers

*PnBA: Poly (n-butyl acrylate)*

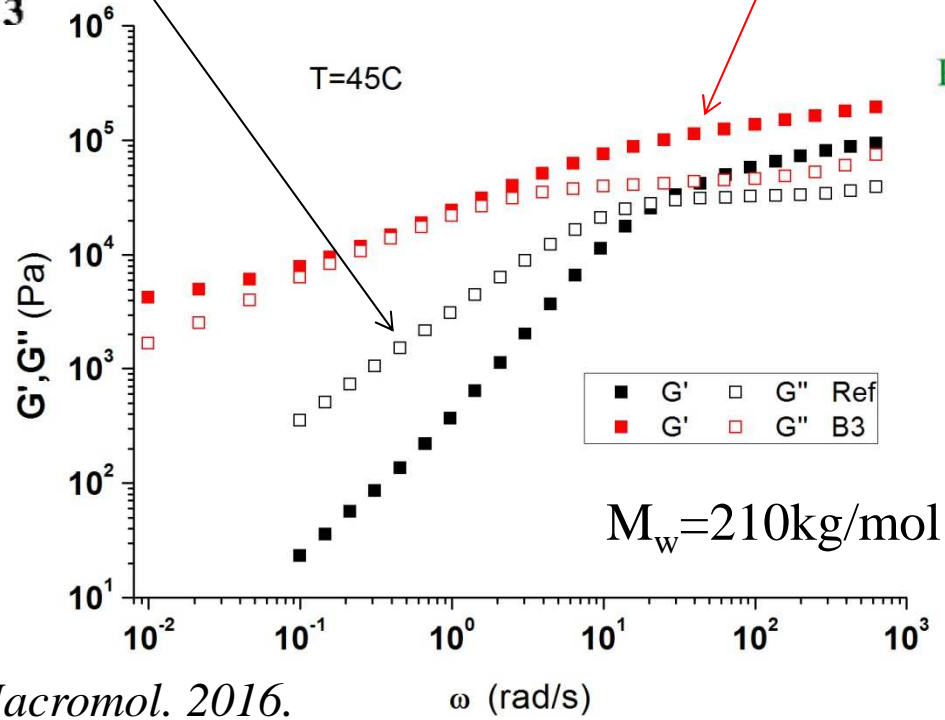


Hydrolysis

Basic environment

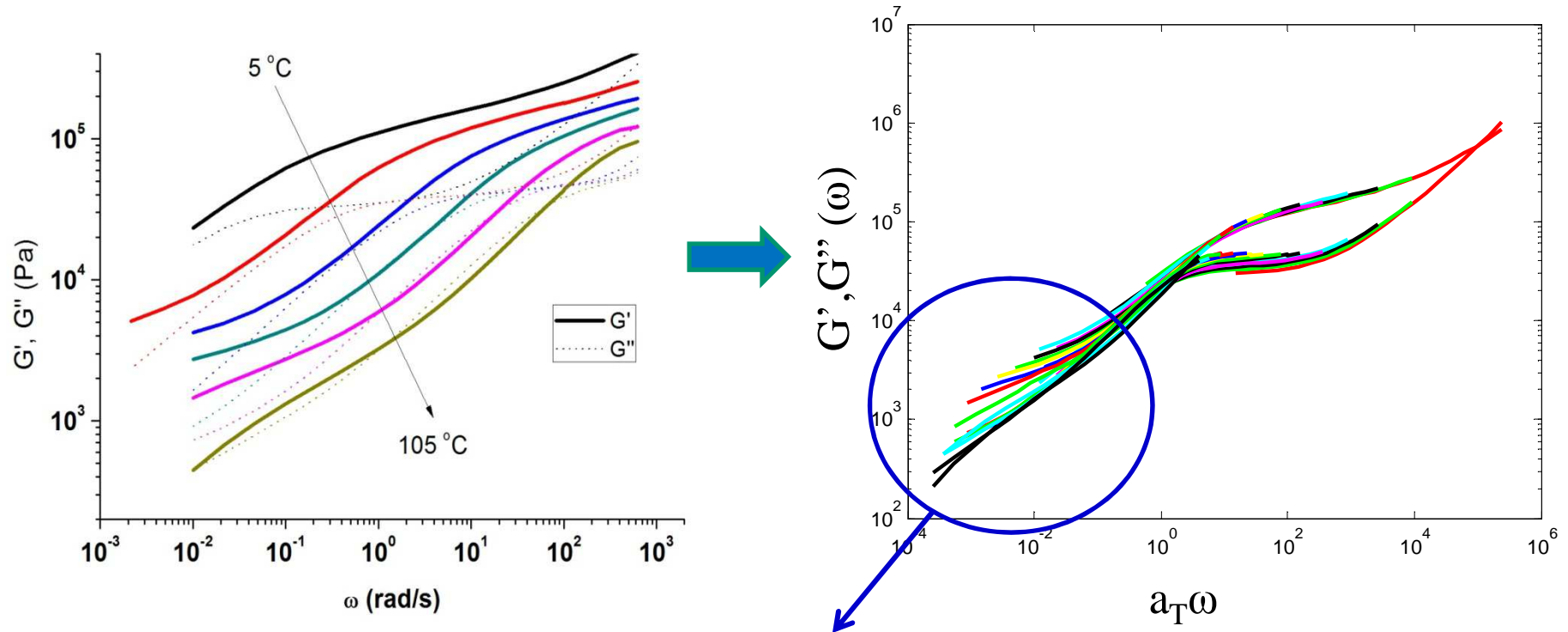


Two elastic plateaus



# Hydrolyzed PnBA polymers

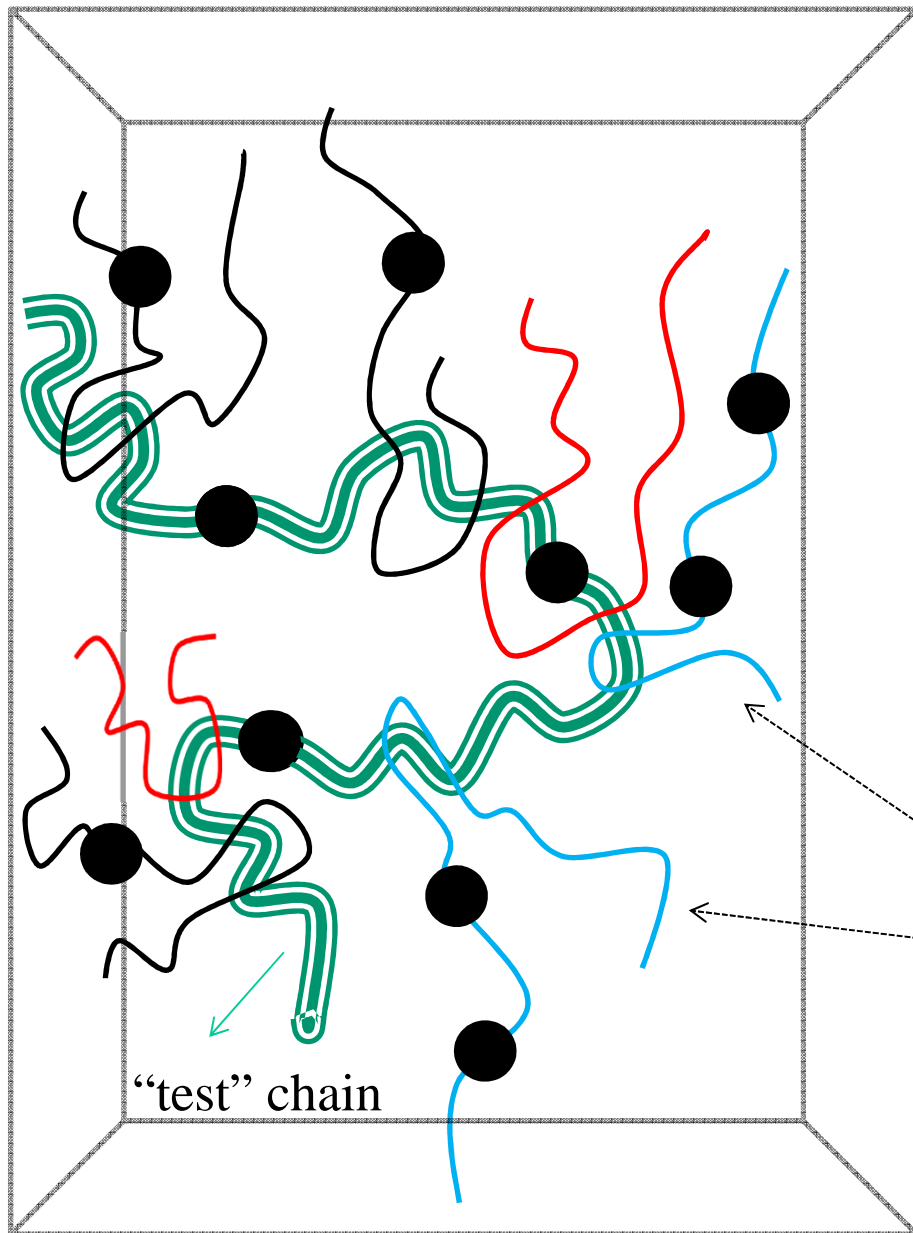
Temperature effect:







- The second plateau disappears with increasing T
- Thermo-rheological complexity  $\rightarrow$  governed by the association dynamics

**➔** Lifetime (sticker) > Lifetime (entanglement)

# Trapped segments versus dangling ends:



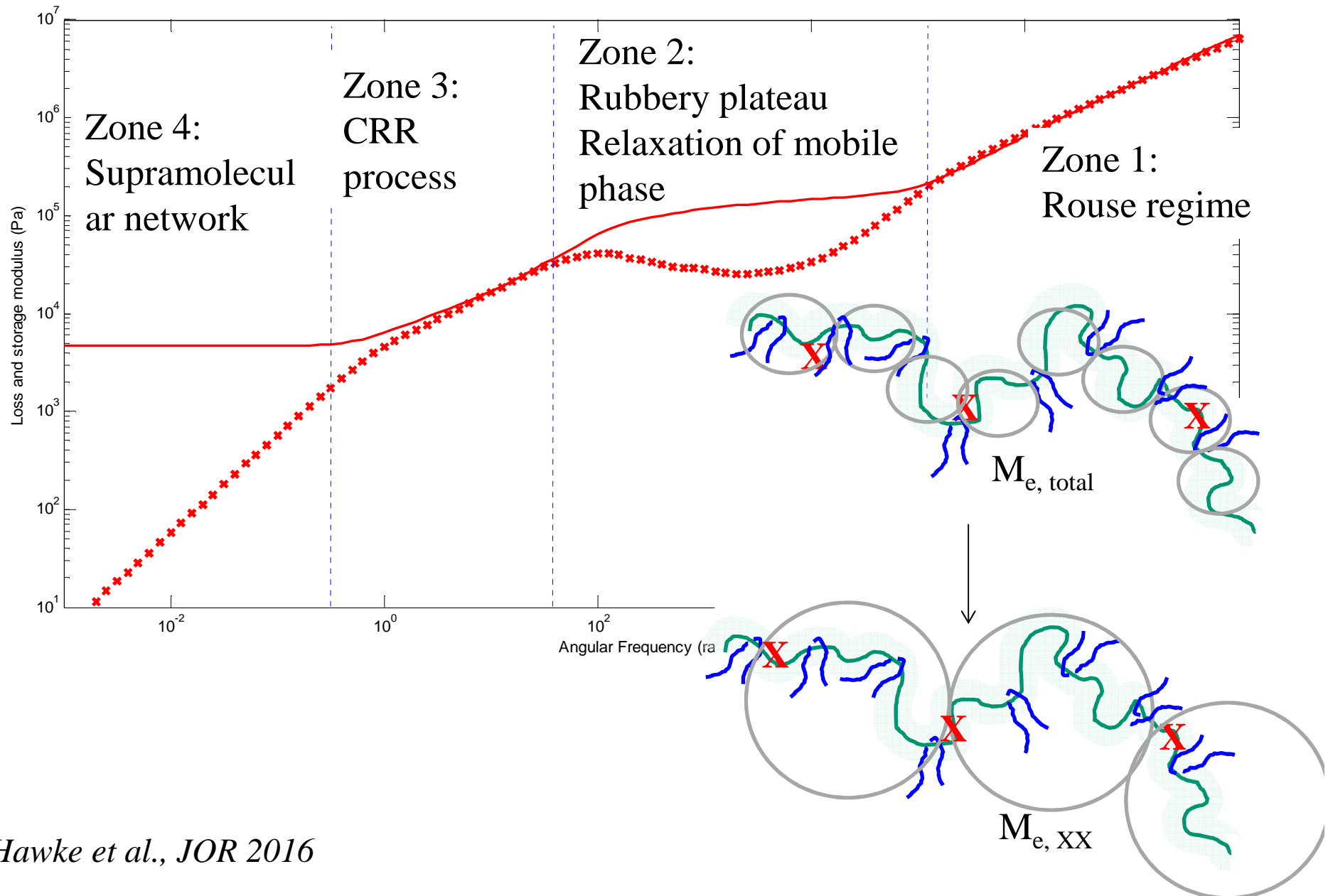
$p_{st}$  the probability to find an associated sticker

- ↓
-  Acrylic acid aggregates,
-  Star-like molecules
-  Trapped chains
-  Free linear chains

dangling ends of trapped chains

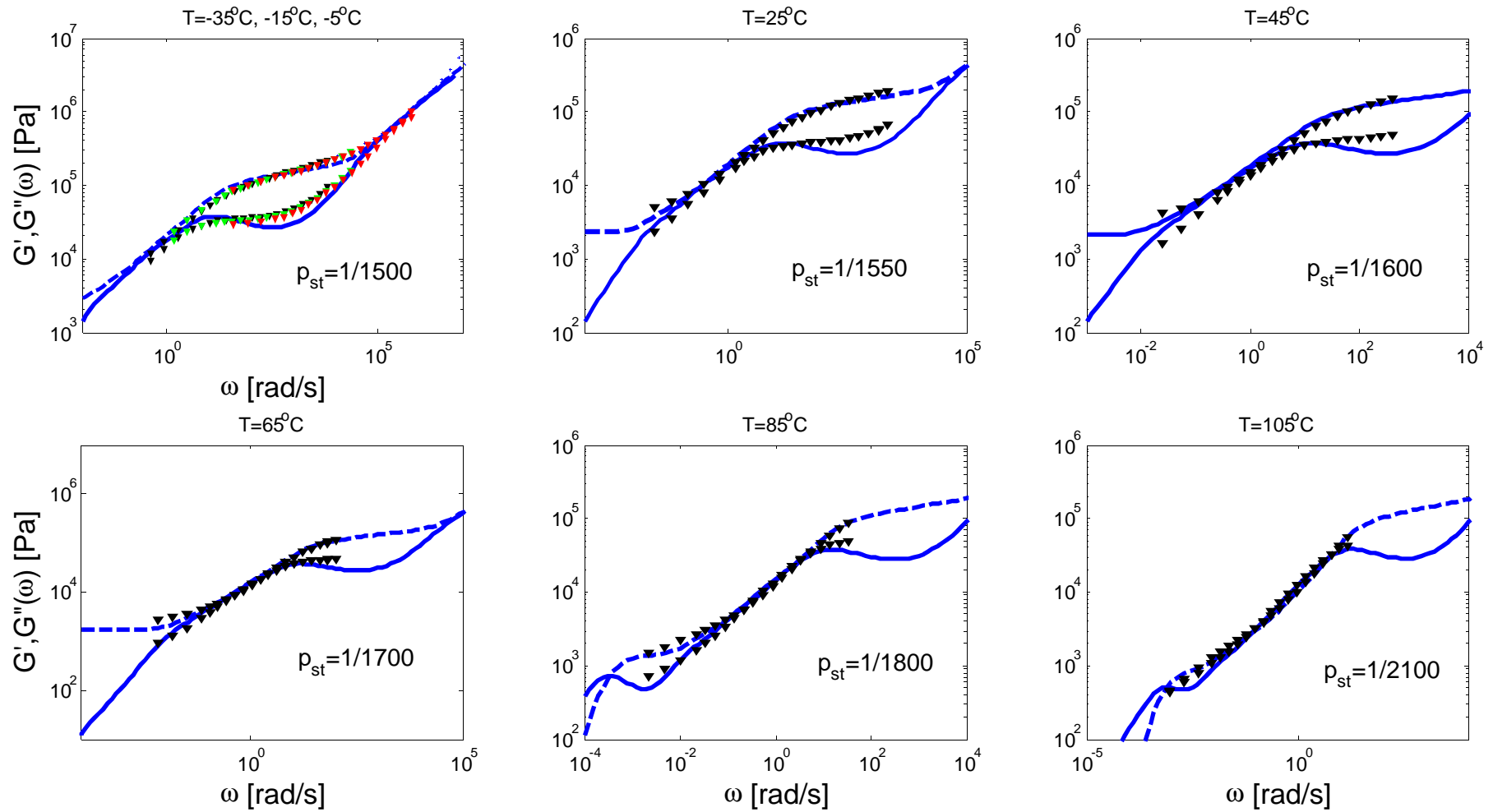
Only the trapped chains cannot relax

# Molecular picture: related rheology



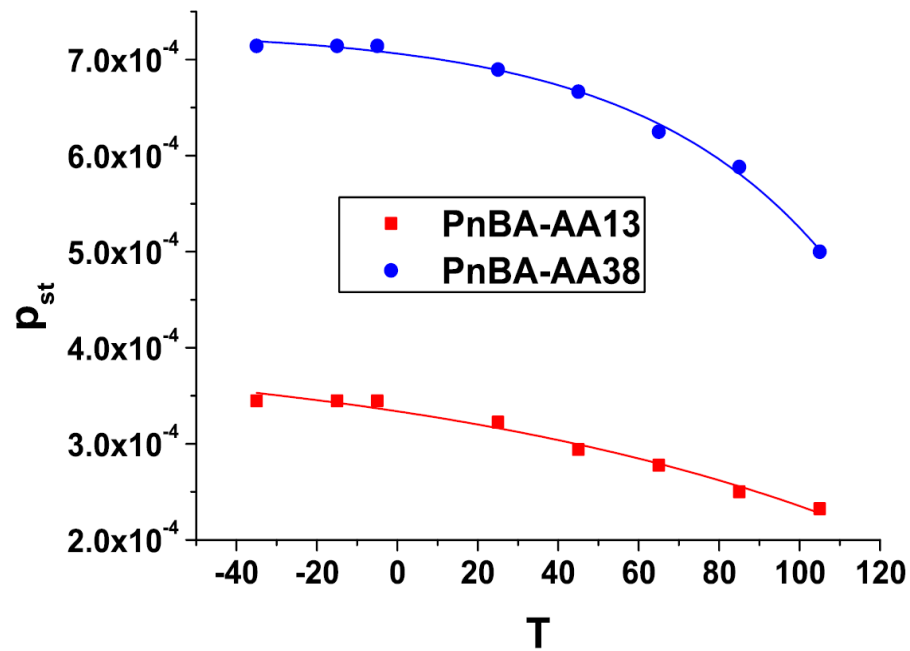


# Comparison to experimental data

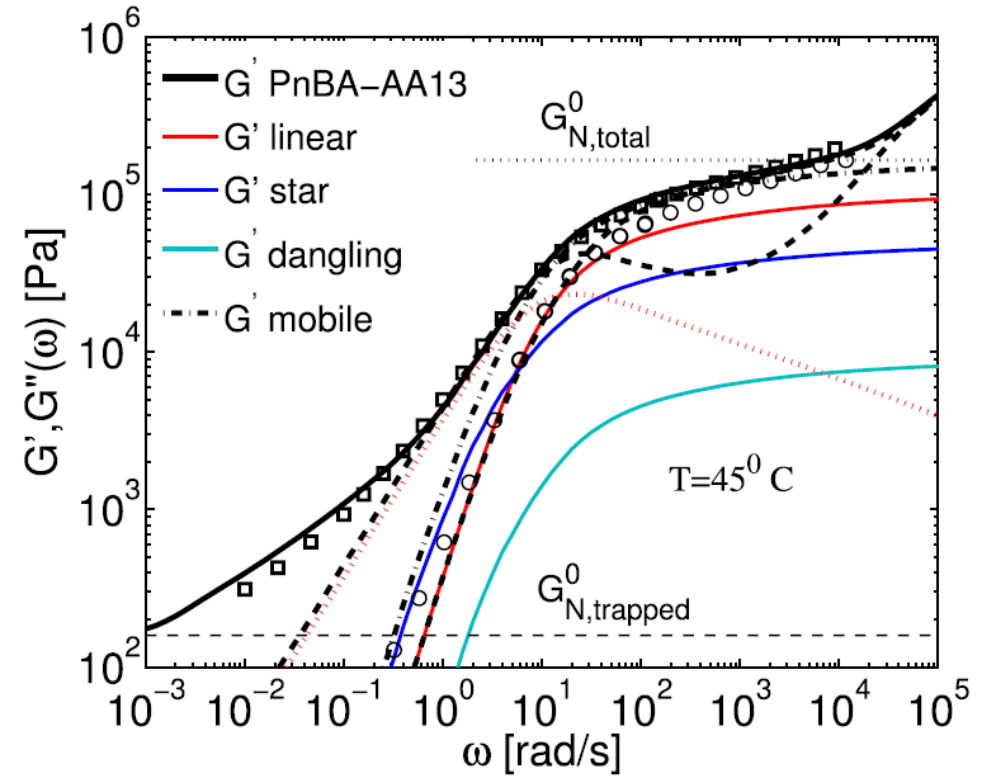


# Comparison to experimental data

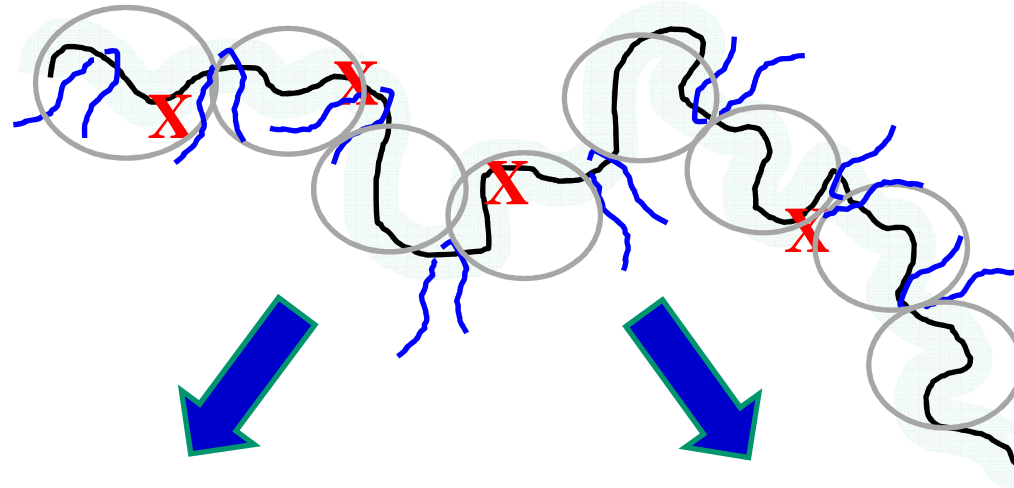
Exponential decay of  $p_{st}$ :



Delay in the first transition:

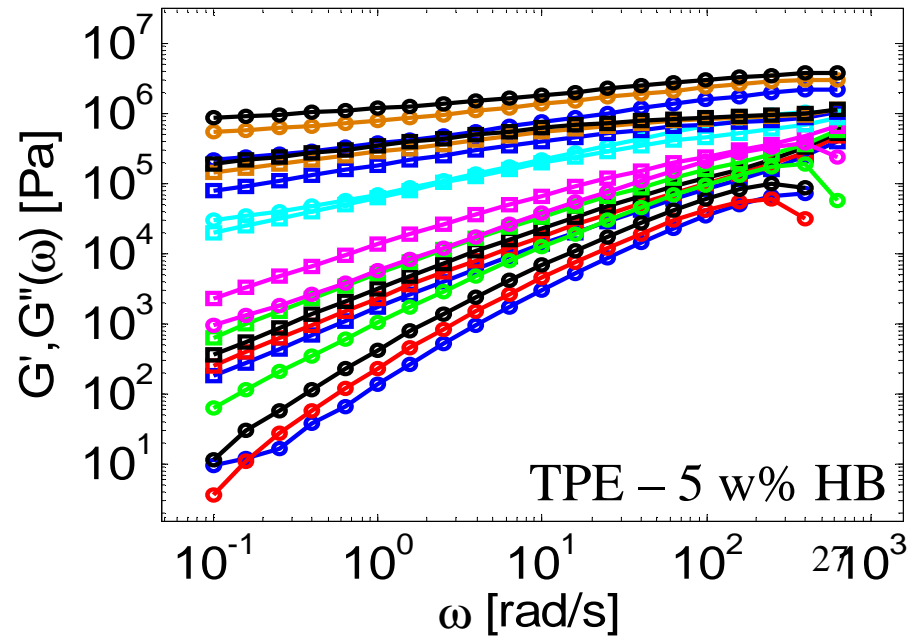
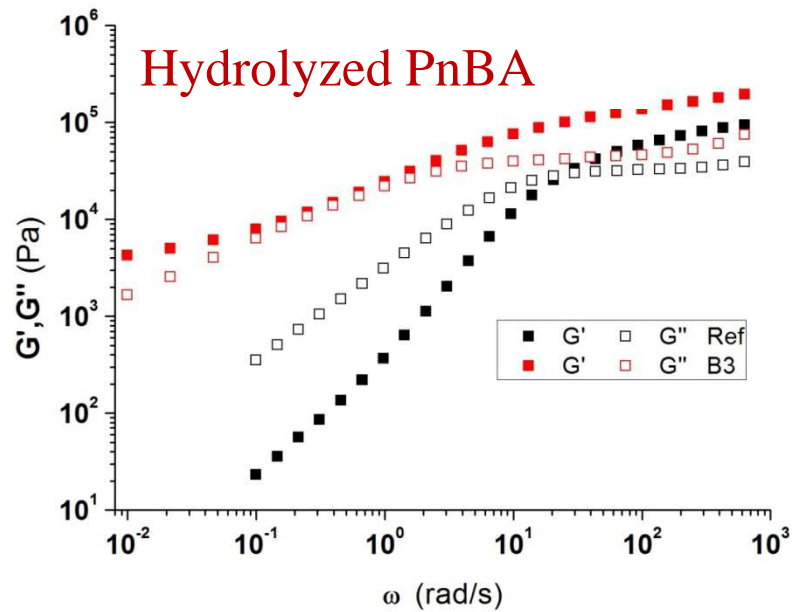


# Dynamics of sticky entangled polymer melts

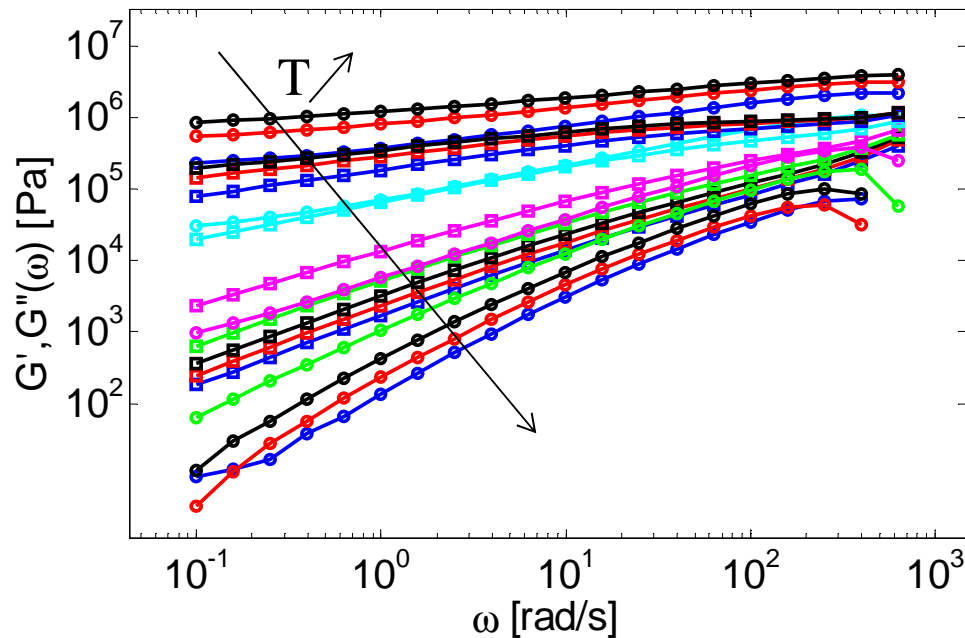
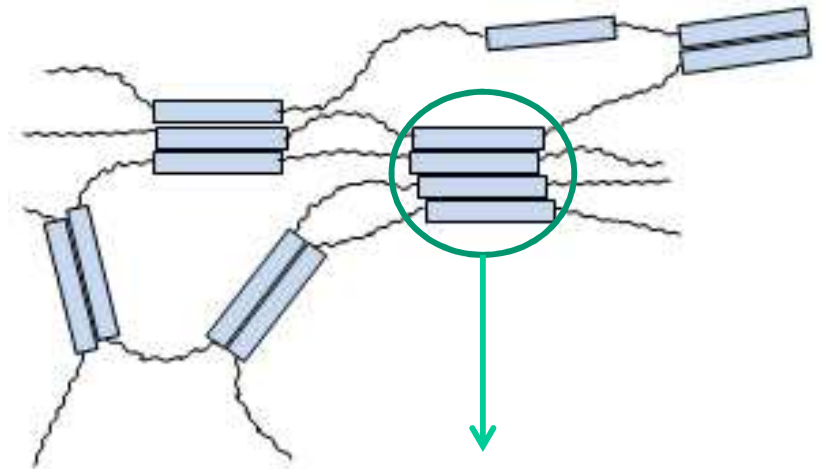
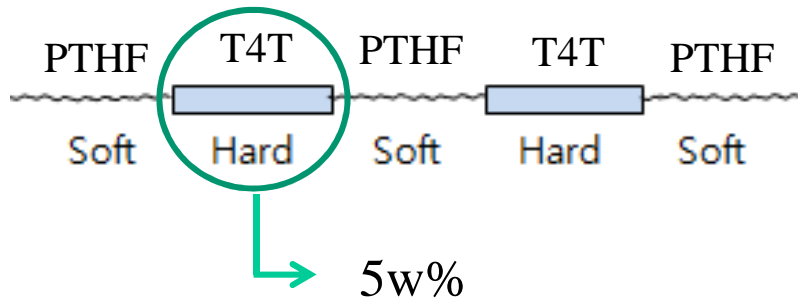


Two elastic plateaus

Slow decrease of  $G'$



# Thermoplastic elastomers: TPEs



A = soft block  
B = hard block

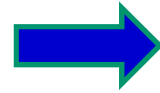


 The stickers can dissociate and associate again

# Flory distribution – TPE 5% HB

$$M_{n, \text{strand}} = 6840 \text{ g/mol}$$

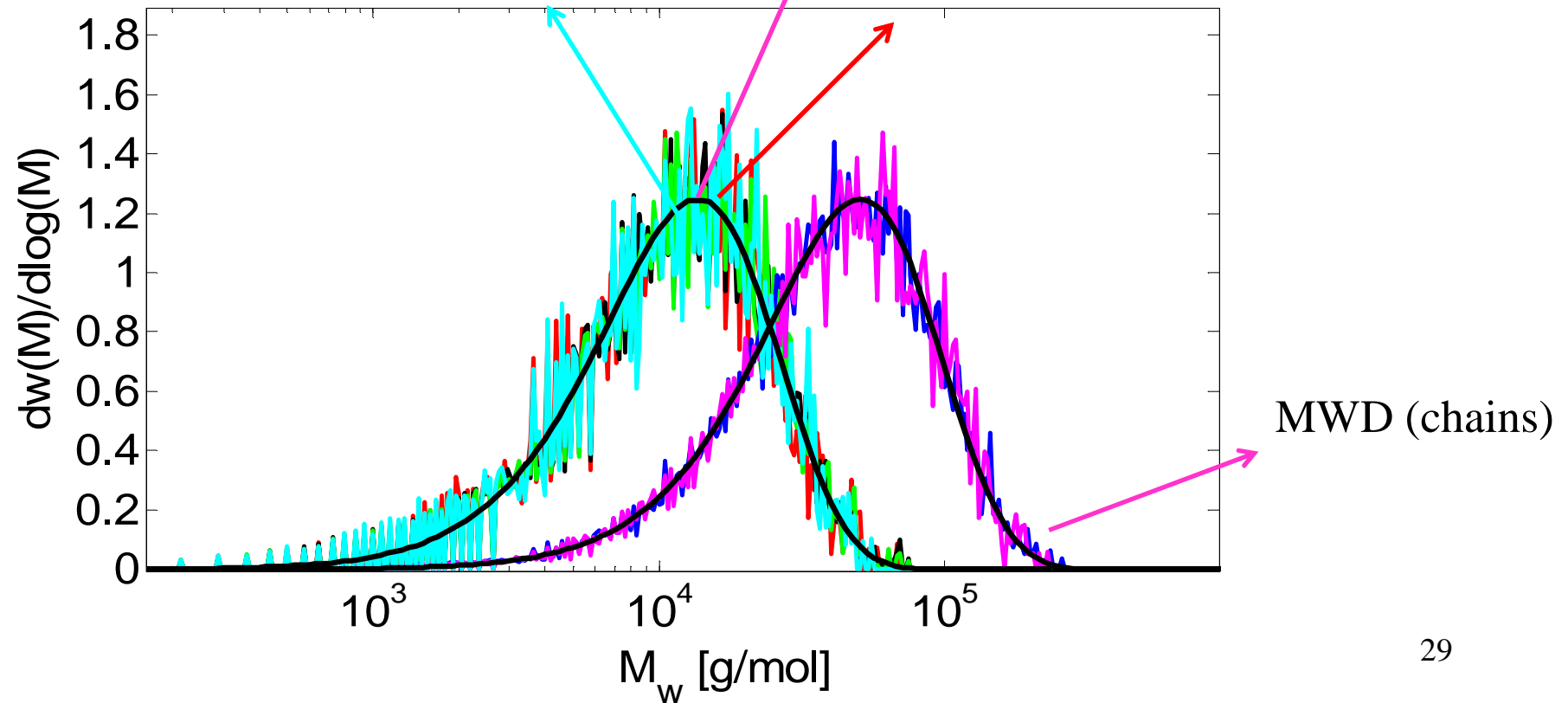
$$M_{n, \text{chain}} = 25200 \text{ g/mol}$$



$$P_{\text{end}} = 2.85/1000$$

$$P_{\text{sticker}} = 7.7/1000$$

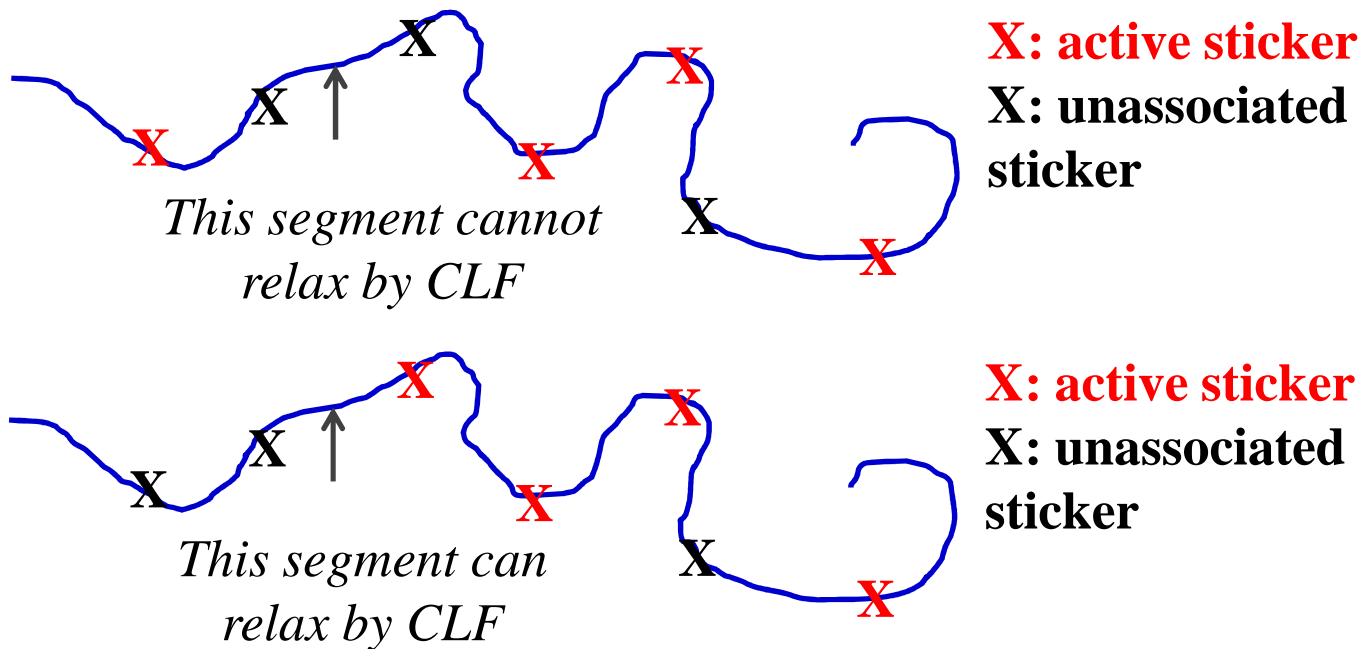
$$\#_{\text{monomers in the box}} = 10^7$$



# Accounting for sticky groups in tube model

## Assumptions:

- Statistical distribution of the stickers
- A sticker can be associated, or not:  $p_{st}$
- Fluctuations process of a segment  $x$  only takes place if there is no active sticker between the chain extremity and  $x$



*Penalty on the time during which a chain is relaxing*

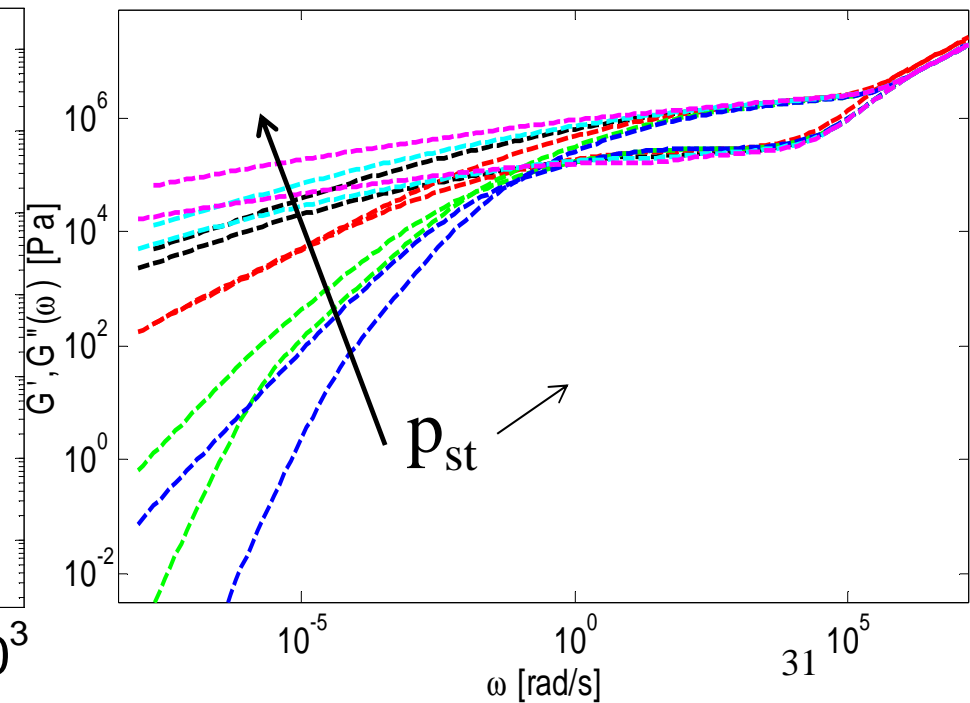
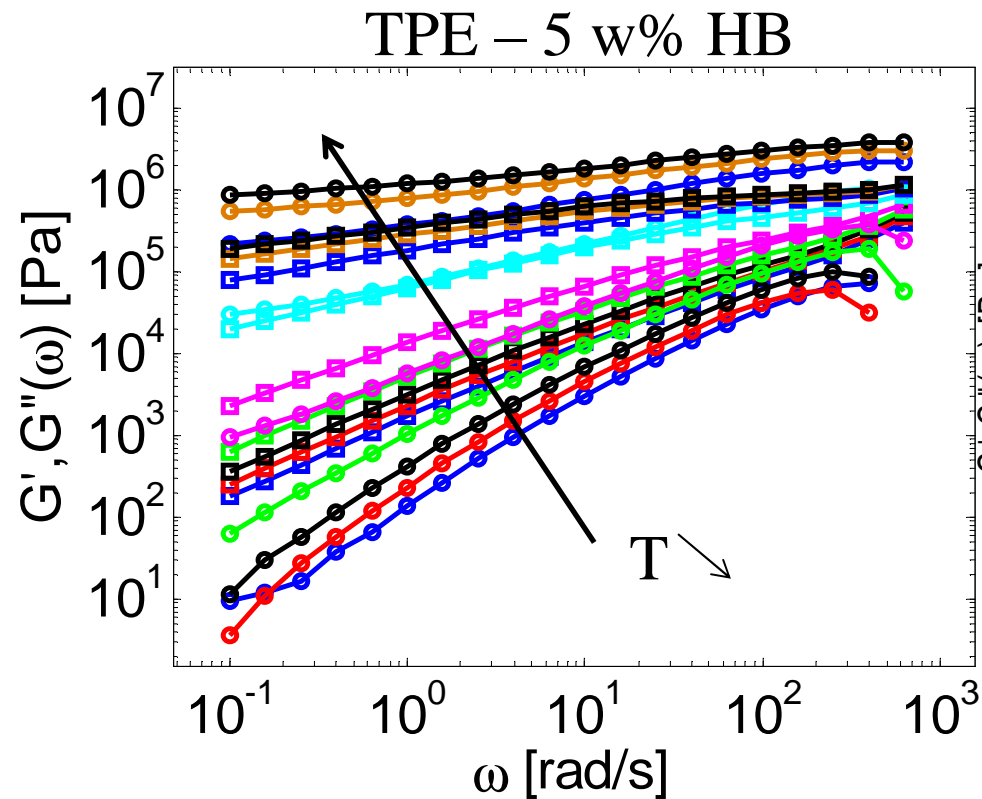
# Accounting for sticky groups in tube model

## Input data:

- Flory distribution with  $M_n = 25.2$  kg/mol
- $p_{sticker} = 7.7/1000$  (active or not)
- $p_{st} = \text{prob}$  (a sticker is active)

## Tube model parameters:

$$G_{N, \text{pure}} = 2.5 \text{ MPa}$$
$$M_{e, \text{pure}} = 1750 \text{ g/mol}$$
$$\tau_{e, \text{pure}} = 10^{-5} \text{ s}$$



# Conclusions

- By using **statistical tool**, we can often have a good representation of branched or sticky polymers.
- The rheological behavior of **sticky entangled polymers** strongly depends on the balance between association and entanglement dynamics.
- Based on tube models, one can rationalize their **relaxation process**.
- (Rheology + model) gives us a powerful **characterization tool**.



# Acknowledgment

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*Christian Bailly*

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*Taihyun Chang (Corea)*



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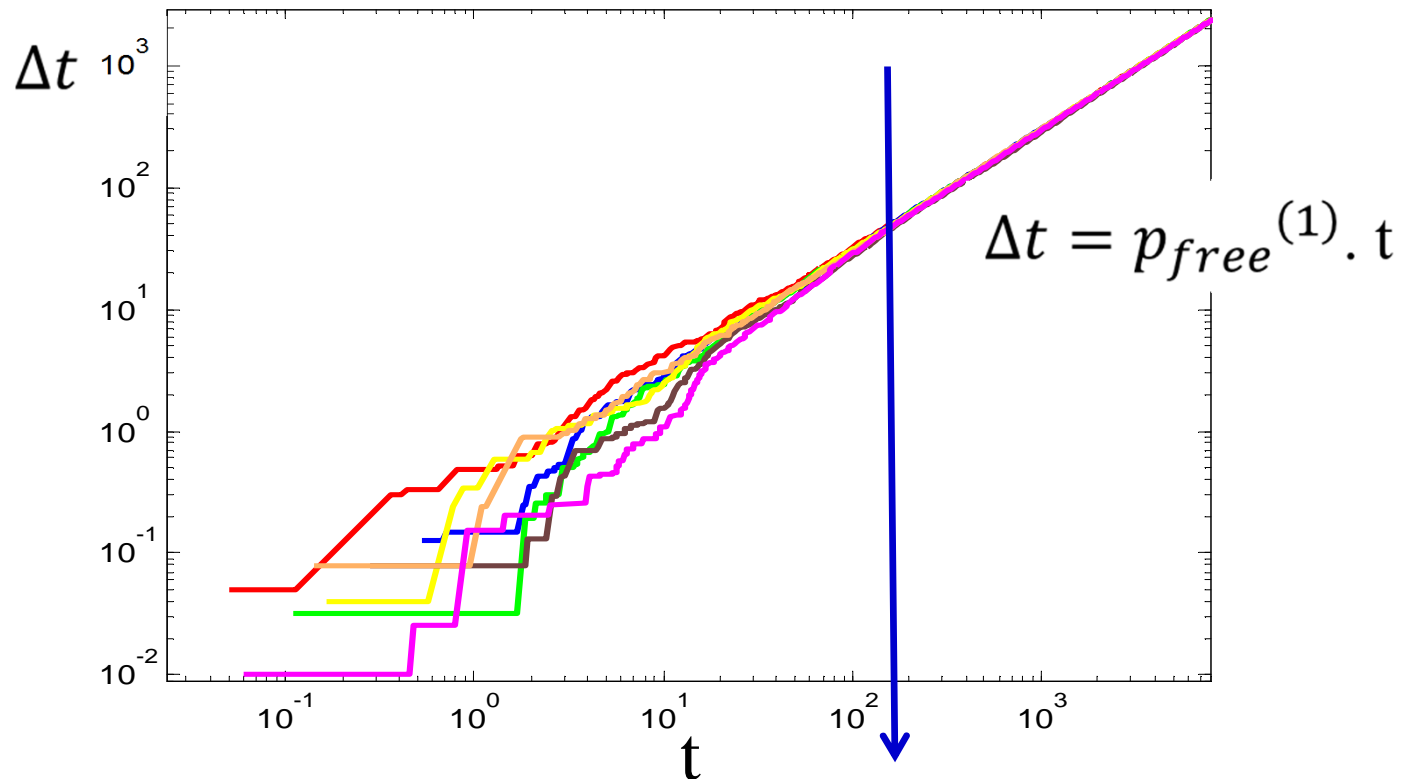
# Thank you!



# Association dynamics of the stickers:

## Assumptions:

- $p_{\text{free}}$  = prob (a sticker is not active)
- After a time  $t$ , a sticker was free during  $\Delta t = p_{\text{free}}^{(1)} \cdot t$



This assumption is valid only at long times