



# **SCALE VARIATIONS AS THEORETICAL UNCERTAINTIES**

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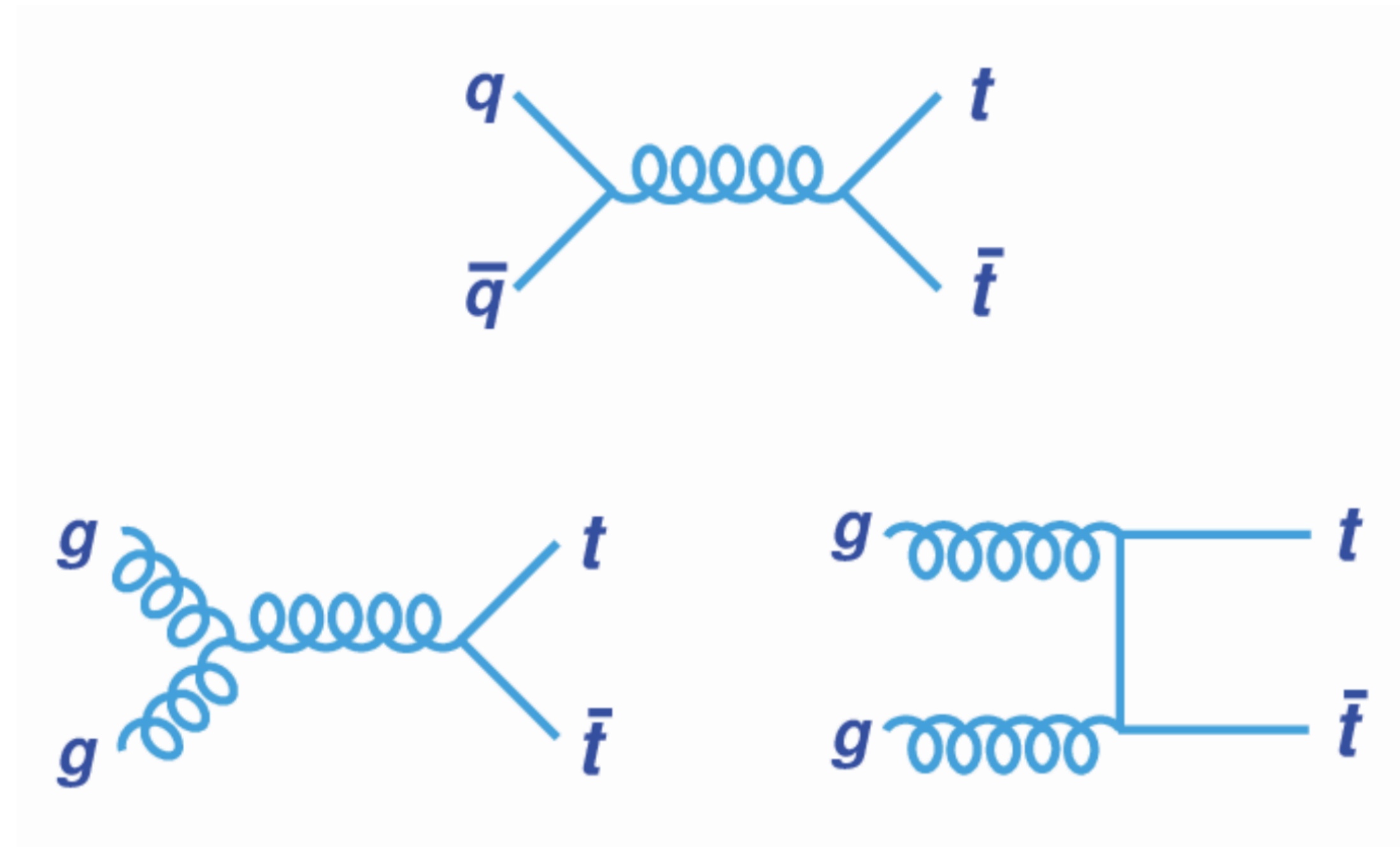
# THE PROJECT

$t\bar{t}$  production in  $pp$  collisions at 13 TeV

Compute distributions with MATRIX

Do runs using different scale choices

Compare LO/NLO/NNLO results for each scale with data from CMS



# THE PROJECT

$t\bar{t}$  production in  $pp$  collisions at 13 TeV

**CMS:**

- transverse momentum of top
- $(\mu/e)$ +jet channel

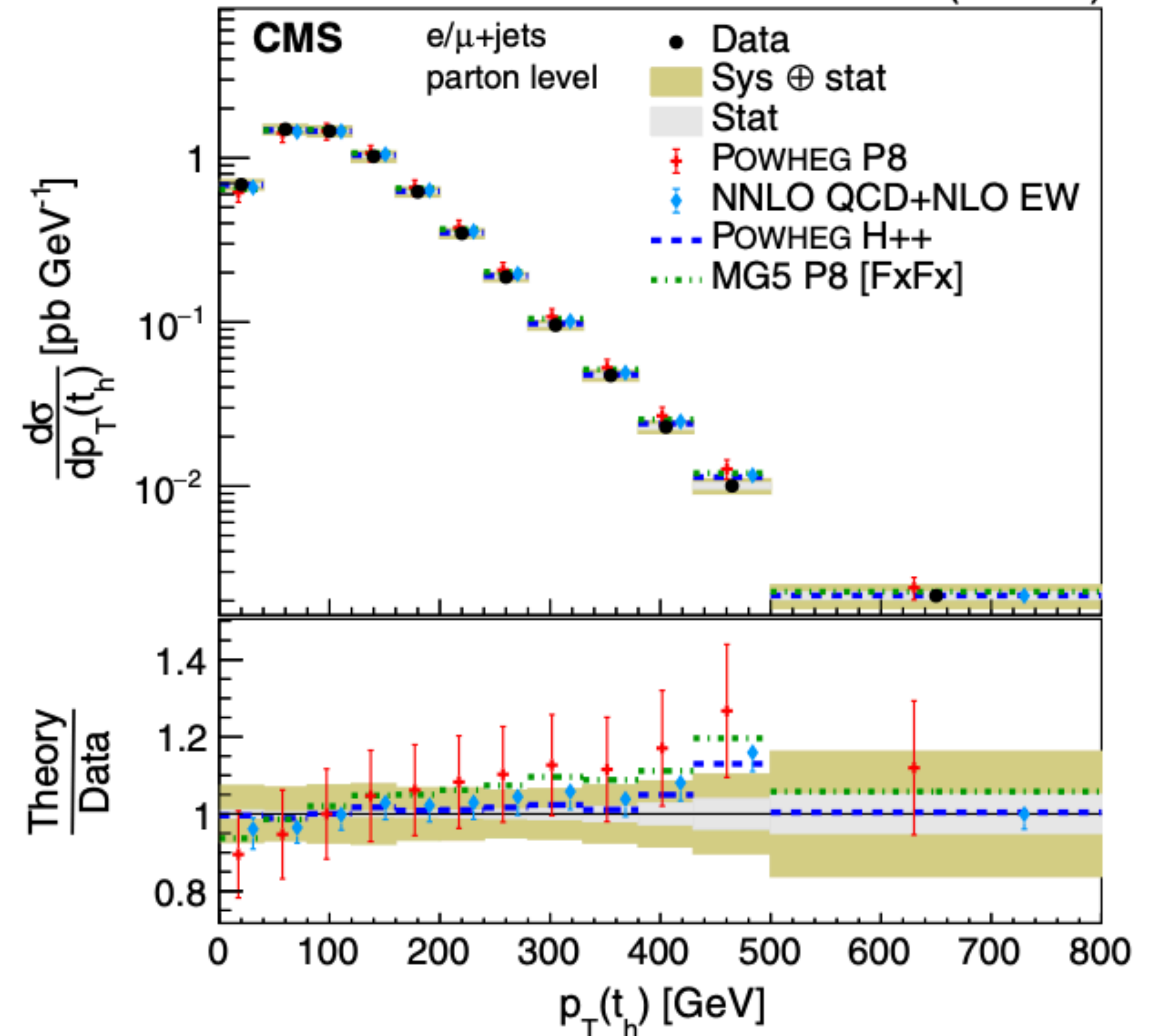
**Our calculation:**

$$\frac{d\sigma}{dp_T} \times \underbrace{\text{Br}[t\bar{t} \rightarrow (\mu/e) + \text{jets}]}_{=0.29}$$

1. Averaged top anti-top
2. Diferent scales and orders

**Hadronic top**

35.8 fb<sup>-1</sup> (13 TeV)



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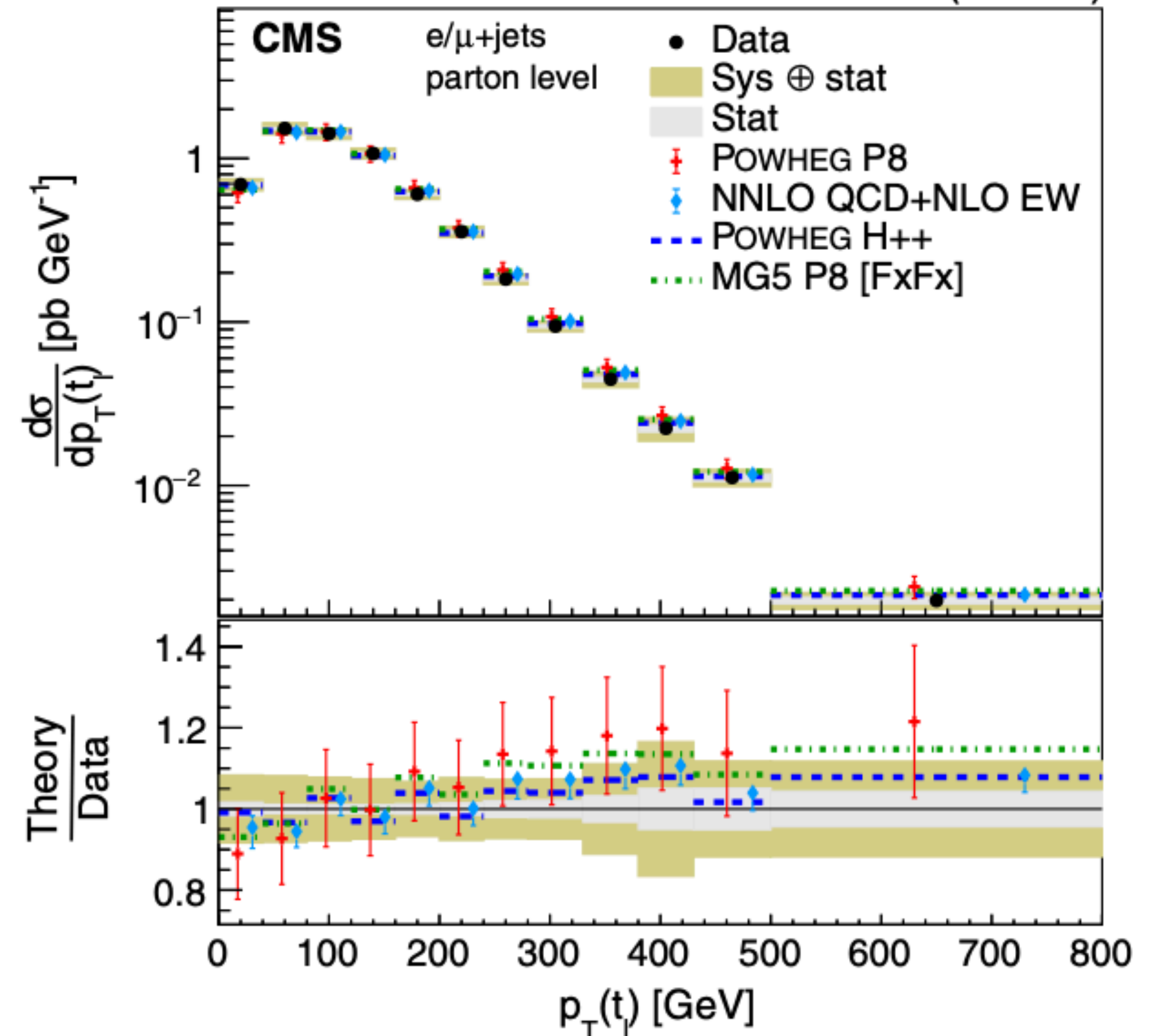
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1. Averaged top anti-top
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**Leptonic top**

35.8 fb<sup>-1</sup> (13 TeV)



# SCALE CHOICE

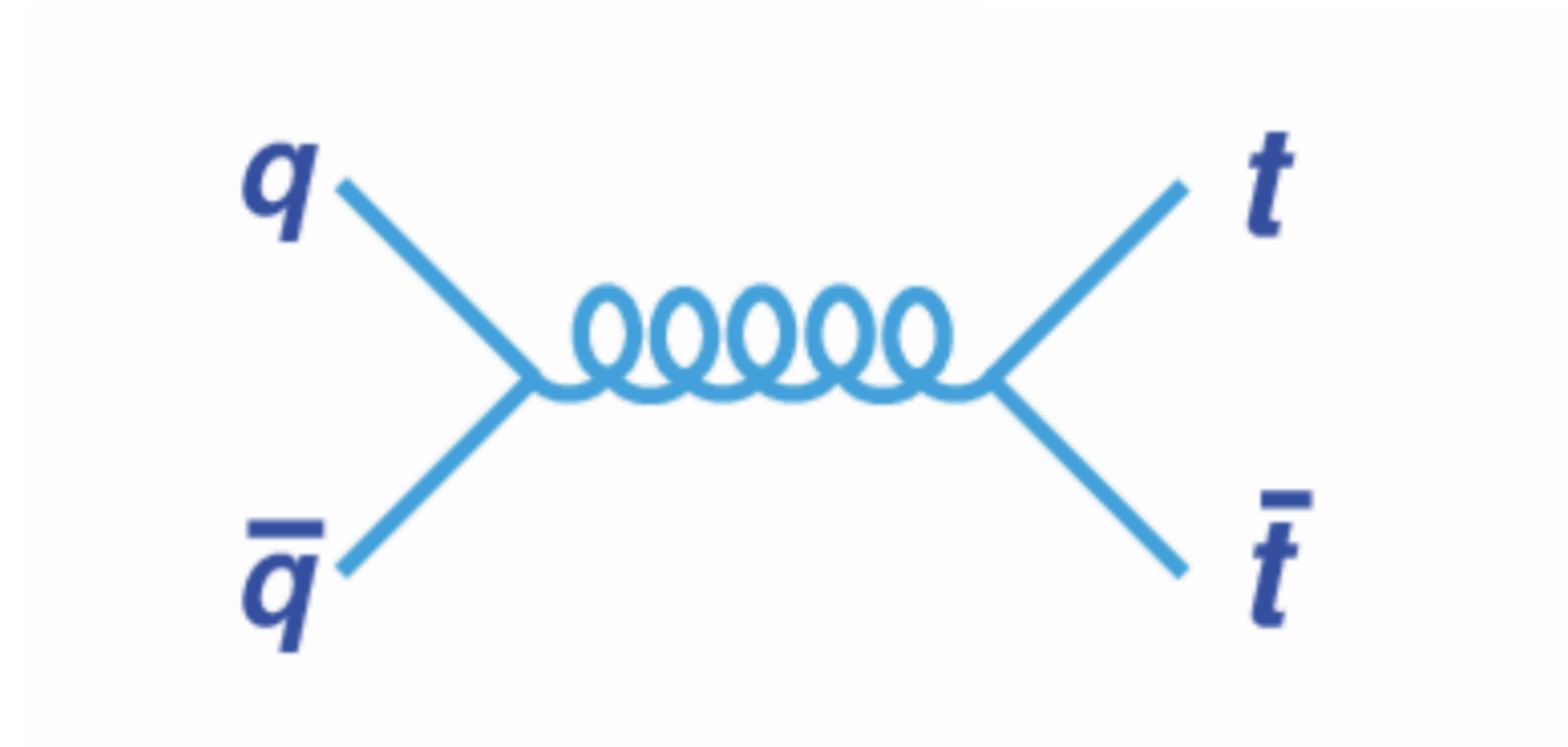
## RENORMALISATION AND FACTORISATION SCALE

$H_T/2$  and  $H_T/4$ , where  $H_T = m_{T,t} + m_{T,\bar{t}}$ ,

$$m_{T,t} = \sqrt{m_t^2 + p_{T,t}^2}$$

We want to measure  $p_{T,t}$  of the (anti-)top  $\rightarrow$  we want a scale that matches the energy in interactions

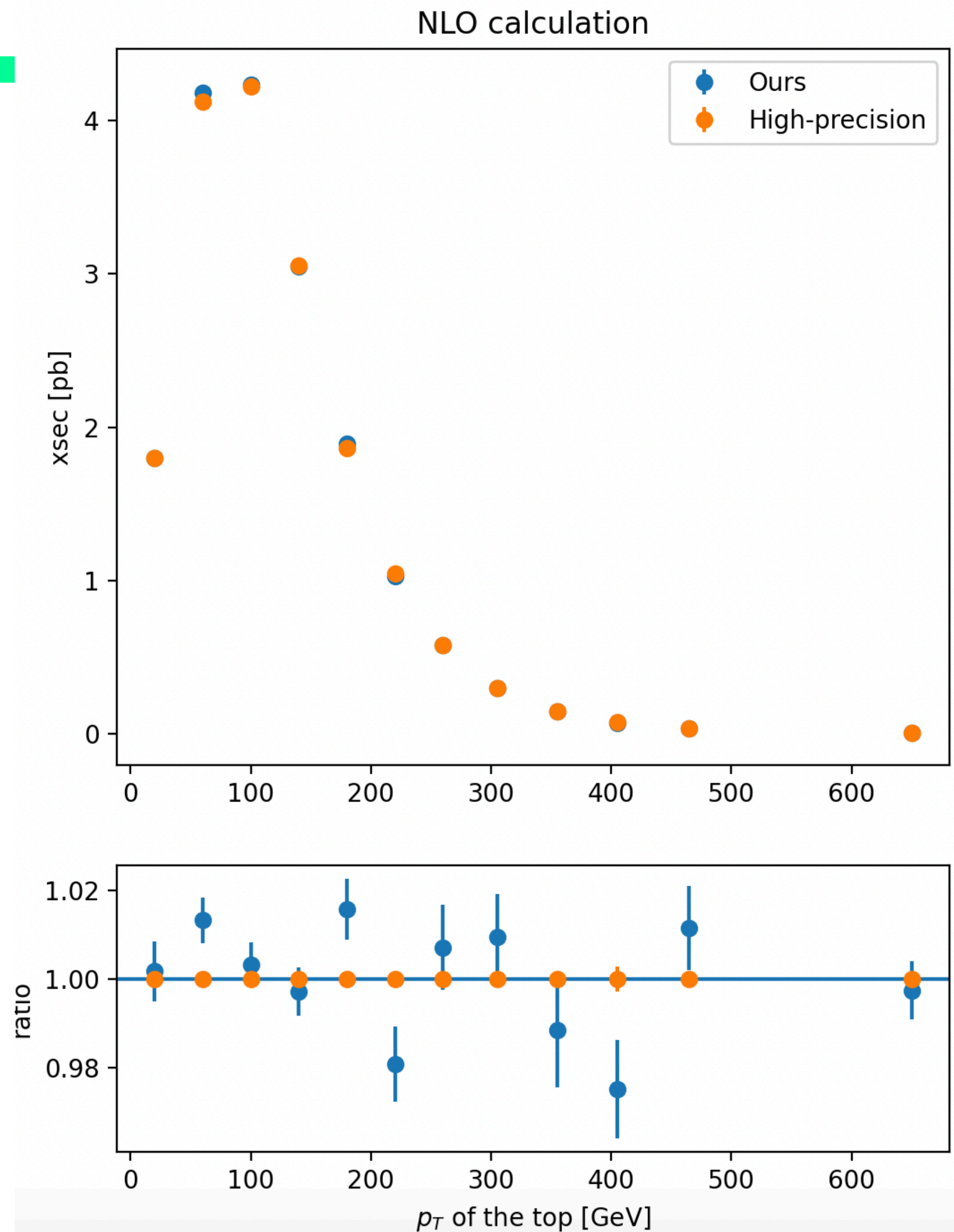
Running with two variations of the scale to see the effect on the result



# NLO @ $H_T/2$

Comparison of our NLO run (% level precision)  
to the fancy high precision run

> mostly within numerical uncertainty

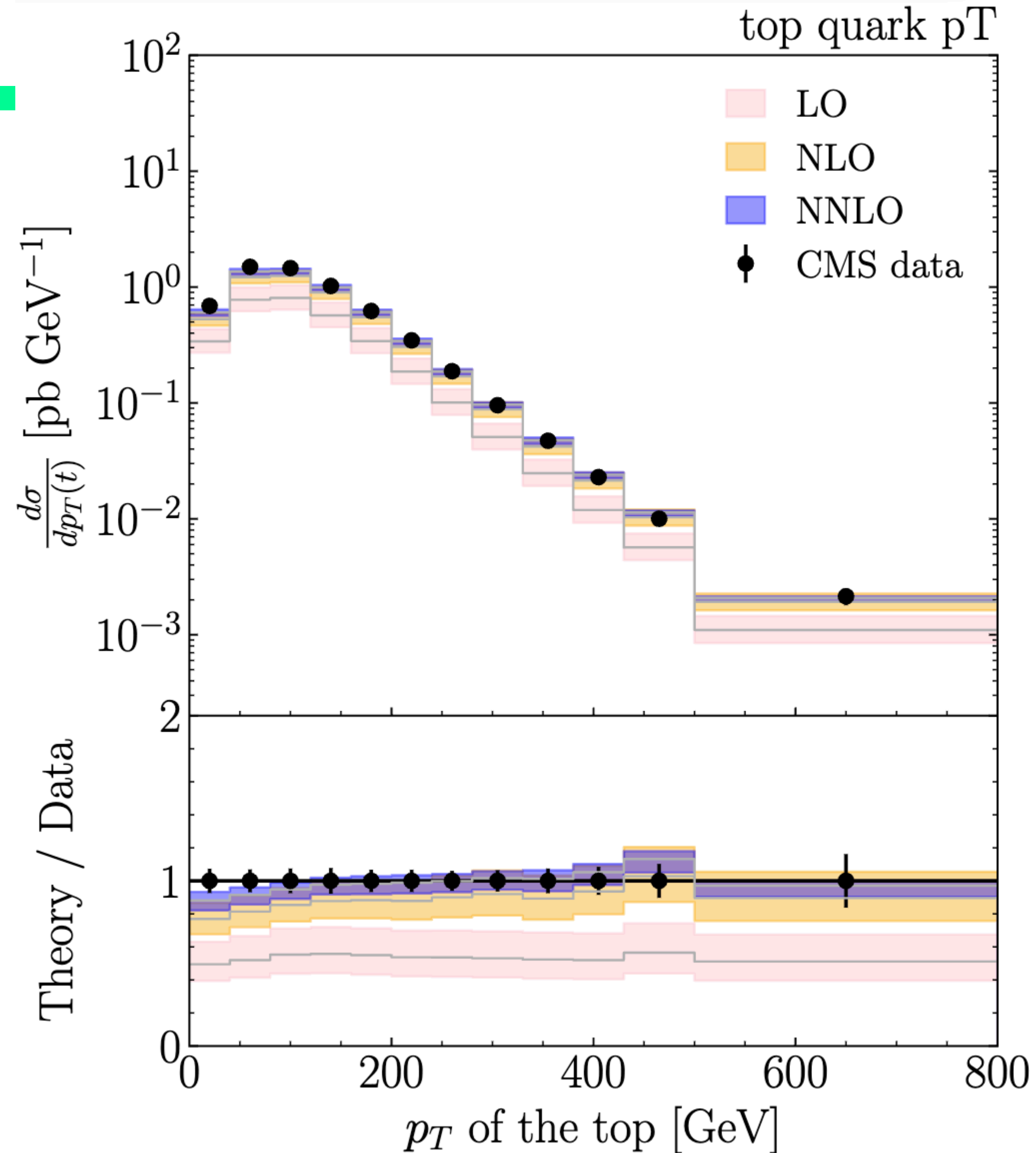


# SCALE CHOICE: $H_T/2$

## LO/NLO/NNLO COMPARISON

Comparison between LO, NLO and NNLO results, to CMS data

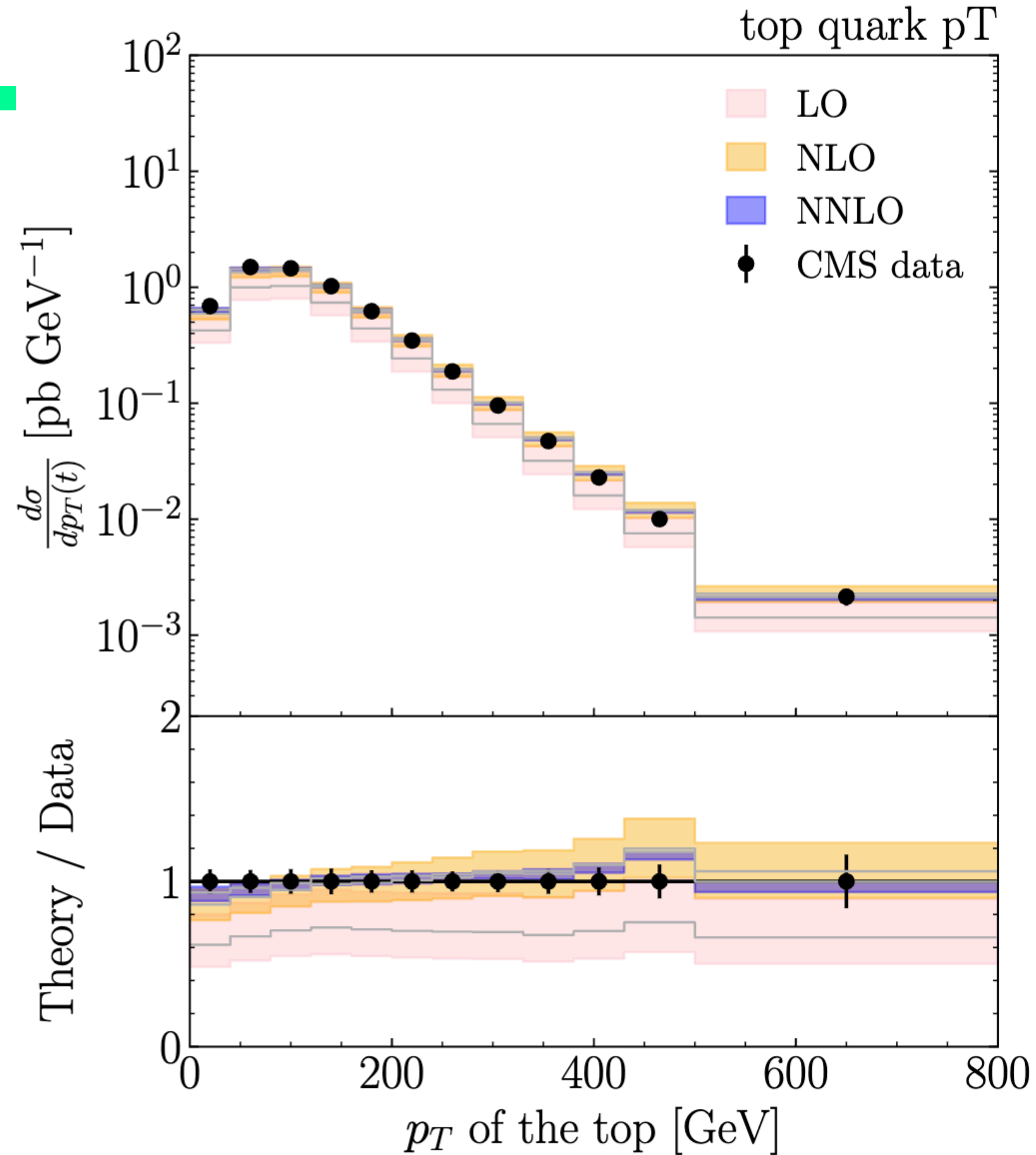
Slope at low momentum:  
lack of parton shower?



# SCALE CHOICE: $H_T/4$

## LO/NLO/NNLO COMPARISON

Comparison between LO, NLO and NNLO results, to CMS data



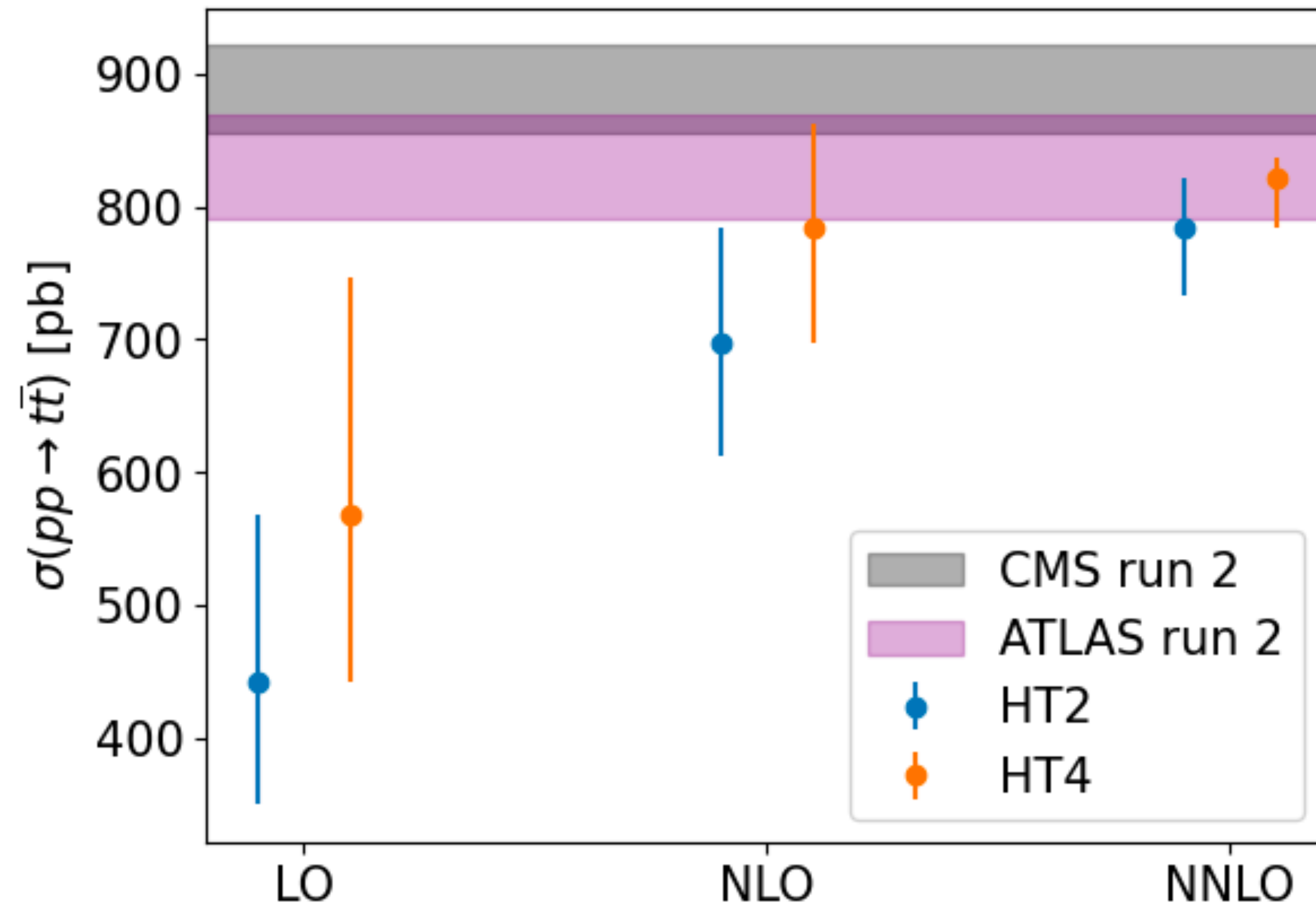


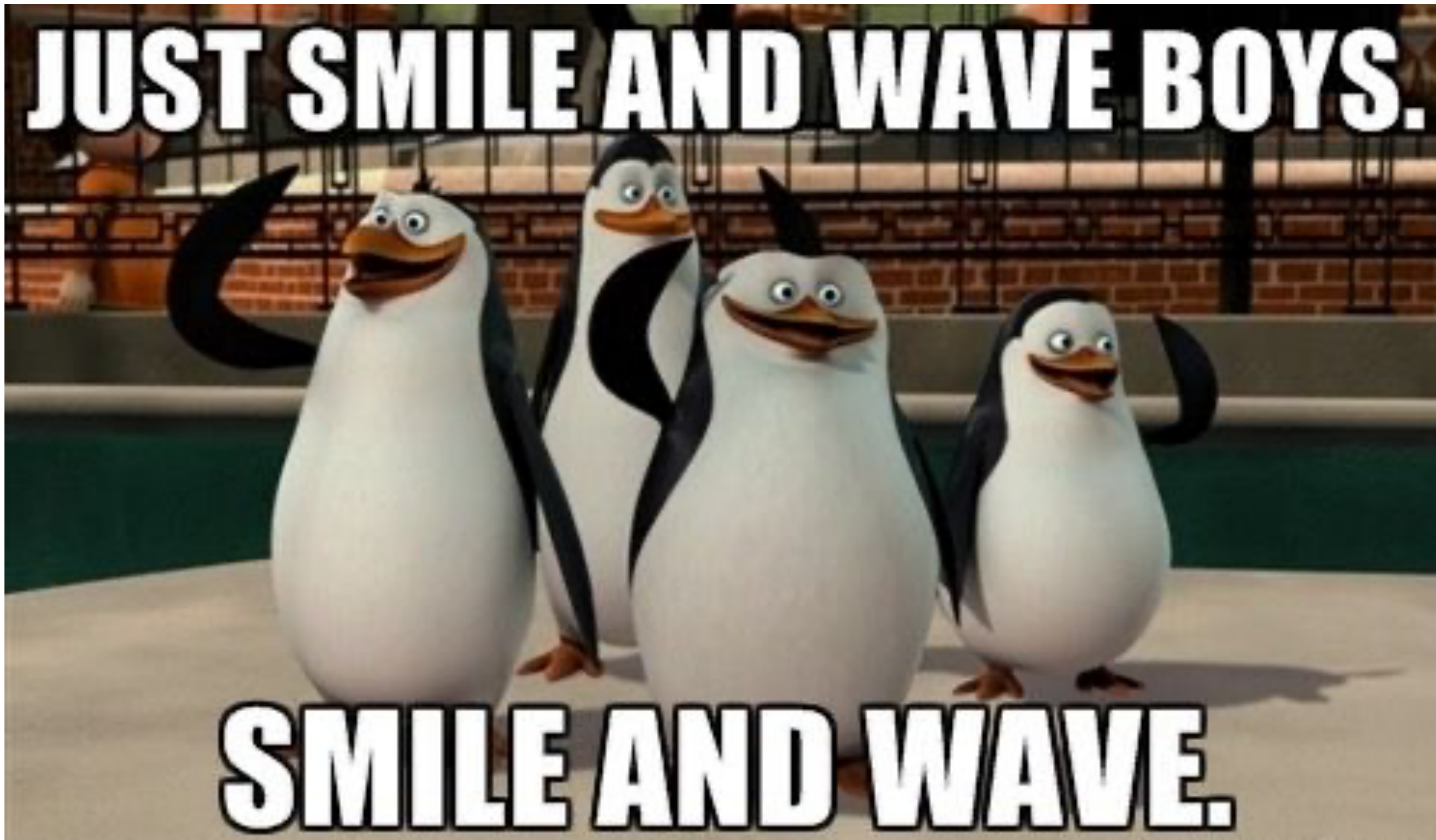
# DISCUSSION

We're trying to estimate the contributions of higher orders without calculating them

$H_T/4$  shows faster convergence and smaller error bands

$H_T/2$  has more symmetric error bands





This is where you clap